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ON THE JAHN-TELLER EFFECT IN REF6.(U)

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APR 77 G R MEREDITH, J D WEBB, E R BERNSTEIN

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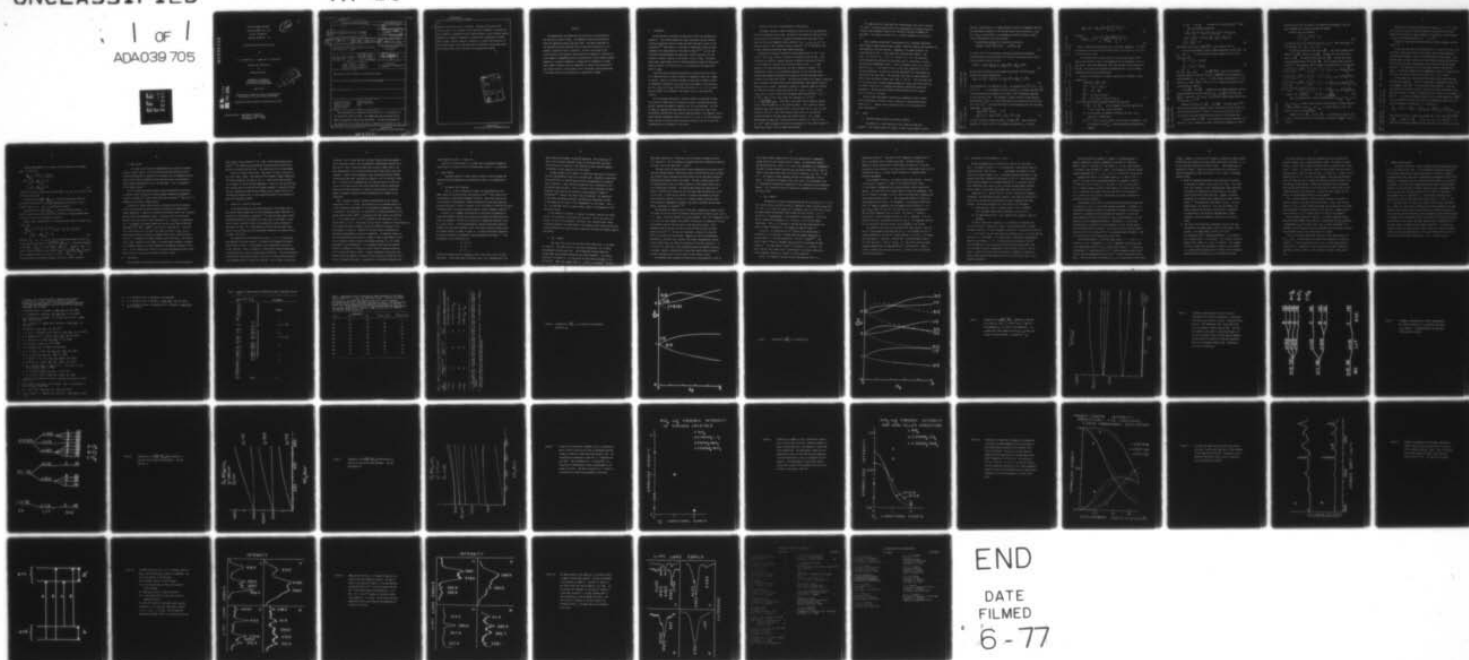
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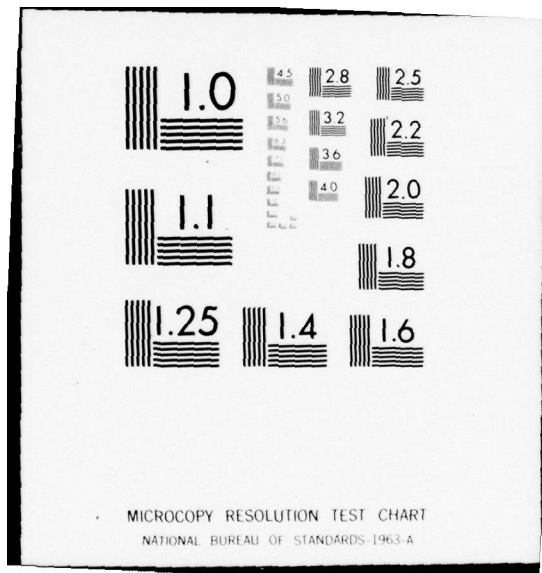
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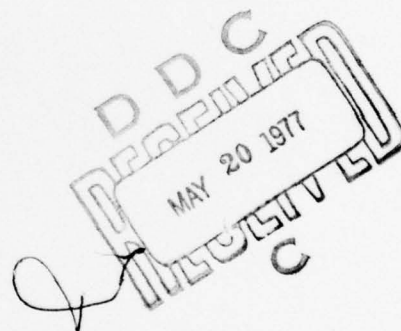
by

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→ symmetry crystalline field is discussed. The main conclusions of the study are that: 1) the standard linear Jahn-Teller treatment of vibronically active modes as independent motions characterized by a given vibronic angular momentum is in general inadequate; 2) Renner-Teller (quadratic) or higher order vibronic coupling terms are important; 3) crystal field splitting of the vibronic levels is not observed; and 4) vibrational exciton band widths of the Jahn-Teller active vibrations are substantially reduced.

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### Abstract

New experimental and theoretical work has led to a re-evaluation of the Jahn-Teller effect in  $\text{ReF}_6$ . Low temperature neat and mixed crystal Raman and absorption spectra have been taken. The theory applicable to two Jahn-Teller active vibrations and to a Jahn-Teller molecule in a low symmetry crystalline field is discussed. The main conclusions of the study are that: 1) the standard linear Jahn-Teller treatment of vibronically active modes as independent motions characterized by a given vibronic angular momentum is in general inadequate; 2) Renner-Teller (quadratic) or higher order vibronic coupling terms are important; 3) crystal field splitting of the vibronic levels is not observed; and 4) vibrational exciton band widths of the Jahn-Teller active vibrations are substantially reduced.

## I. Introduction

During the past two decades the Jahn-Teller effect has received much attention.<sup>1</sup> The infrared absorption, Raman scattering and near infrared electronic absorption spectra of  $\text{ReF}_6$  have been discussed in terms of this interaction.<sup>2-8</sup> Additionally, a good deal of theoretical effort has been expended on the understanding of the effect in  $\text{ReF}_6$ .<sup>3,9,10</sup> In this paper we present new experimental and theoretical results which deal with the problem of vibronic coupling in the ground  $\Gamma_8$  state of  $\text{ReF}_6$ . The experimental data, namely Raman and near infrared absorption spectra of  $\text{ReF}_6$  mixed and pure crystals, form the basis for a re-evaluation of the Jahn-Teller effect in  $\text{ReF}_6$ .

Transition metal hexafluoride molecules are particularly well suited for a detailed study of vibronic coupling in degenerate states for a number of reasons: there is a series of systems to study which provides a wealth of comparative information;  $\text{XF}_6$  systems have high symmetry, few vibrations, and only  $\nu_2(e_g)$  and  $\nu_5(t_{2g})$  are vibronically active in  $\Gamma_8$ ,  $\Gamma_1$  or  $\Gamma_2$  states; and the systems can be studied in gas phase as well as pure and mixed crystals.

In the following discussion of vibronic coupling in  $\text{ReF}_6$  some interesting features of Raman spectra of molecular crystals, characterized by both vibronic coupling and magnetic ordering, will also be enumerated. The data for  $\text{ReF}_6$  are compared and contrasted with our new results for  $\text{IrF}_6$ .<sup>11</sup> New calculations, dealing with the vibronic coupling problem in low symmetry crystal fields and the simultaneous vibronic activity of  $\nu_2$  and  $\nu_5$ , are also presented. Heavy reliance is placed on these theoretical numerical results in the final interpretation and assignment of the spectra.

## II. Review of Jahn-Teller Interpretations of $\text{ReF}_6$ Spectra

The lowest electronic states of  $\text{ReF}_6$  form a basis for the  $\Gamma_{8g}$  representation of the  $O_h^*$  double point group. According to the theorem of Jahn and Teller, any vibrations transforming as irreducible representations contained in the reduction of the antisymmetric direct product of  $\Gamma_{8g} \times \Gamma_{8g}$  ( $a_{1g}$ ,  $e_g$ , and  $t_{2g}$ ) may participate in the intrastate vibronic coupling.<sup>1</sup> In the literature, each of these coupling problems has been treated separately.

Weinstock and Claassen<sup>2</sup> originally noticed abnormalities in the  $\nu_2$  ( $e_g$ )  $\sim 670 \text{ cm}^{-1}$  and  $\nu_5$  ( $t_{2g}$ )  $\sim 300 \text{ cm}^{-1}$  regions of the Raman spectrum of  $\text{ReF}_6$ . They attributed the observed irregular features to dynamical Jahn-Teller coupling in those modes and suggested that the diffuse nature of the  $\nu_2 + \nu_3$  band observed in infrared absorption was also due to dynamical coupling. In a comprehensive review of the vibrational properties of the transition metal hexafluorides Goodman and Weinstock<sup>3</sup> assigned the infrared and Raman spectra in terms of the Jahn-Teller effect. The vapor phase spectra are, however, broad and, even for normal (non-Jahn-Teller active) hexafluorides, some features cannot unambiguously be assigned. Nonetheless, based on a linewidth comparison between non-Jahn-Teller active systems and  $\text{ReF}_6$  for the  $\nu_1(a_{1g}) + \nu_3(t_{1u})$ ,  $\nu_2(e_g) + \nu_3(t_{1u})$ , and  $\nu_1$  features, Jahn-Teller parameters were calculated for  $\nu_2$  and  $\nu_5$ . For the  $\nu_2$  mode a large linear effect was indicated ( $\nu_2^0 \sim 671 \text{ cm}^{-1}$ ,  $D_2 \sim \frac{\nu_2 \text{ well depth}}{\nu_2 \text{ zero point motion}} \sim 0.09$ ) and an additional smaller quadratic (Renner Teller) term was needed to fit the observed trends. This placed one vibronic component ( $\Gamma_{8g}$ ) nearly degenerate with  $\nu_1$  and the other two ( $\Gamma_{6g}$  and  $\Gamma_{7g}$ ) were located ca.  $587 \text{ cm}^{-1}$ ; these three features then account for the observed increased breadth of the  $\text{ReF}_6$  Raman and infrared spectra. The  $\nu_5$  Raman spectrum was assigned with a linear Jahn-Teller coupling ( $\nu_5^0 = 297 \text{ cm}^{-1}$  and  $D_5 \sim .07$ ).<sup>5</sup> Both assignments preserved the systematics of zero order frequencies through the chemical series of metal hexafluorides.



The Raman spectrum of  $\text{ReF}_6$  vapor was reinvestigated later using a one-watt  $\text{Ar}^+$  laser.<sup>4</sup> The broad features were fit by superposition of variable intensity, variable width components placed at the locations predicted by Goodman and Weinstock.<sup>3</sup> No evidence was seen for a  $\nu_2$  vibronic component in the vicinity of  $\nu_1$ .

Brand, Goodman and Weinstock<sup>5</sup> investigated the  $2\mu$  electronic absorption band of  $\text{ReF}_6$  in vapor phase and neat crystals. Based on intensity distributions and the frequency of the only observed  $\nu_5$  component in the Raman spectrum, two interpretations of the  $\nu_5$  linear Jahn-Teller coupling were offered. They were:  $\nu_5^0 = 334 \text{ cm}^{-1}$ ,  $D_5 = .31$  or  $\nu_5^0 = 176 \text{ cm}^{-1}$ ,  $D_5 = .42$ . The latter was favored based on hot band data and selection rules for transitions to normal equivalent Born Oppenheimer states. In this assignment a level at ca.  $250 \text{ cm}^{-1}$  must be the  $j_5 = \frac{1}{2}$  level while a lower  $j_5 = 3/2$  level, predicted at  $120 \text{ cm}^{-1}$ , has gone unobserved. At about the same time McDiarmid<sup>6</sup> also investigated the same band in the vapor phase. She concluded, from rates of thermal depopulation of the vibrationless ground state, that  $\nu_5^0 \sim 300 \text{ cm}^{-1}$ . This averaged value for  $\nu_5^0$  arises from an assumed weighted symmetrical linear Jahn-Teller splitting of vibronic levels and is in keeping with general hexafluoride vibrational systematics. She did note the problem of the selection rule for observation of the  $247 \text{ cm}^{-1}$  hot band.

The only other experimental studies which attempted to obtain information on the nature of vibronic states of  $\text{ReF}_6$  was an infrared band contour analysis on  $\nu_2$ .<sup>7</sup> However, these experiments were called into question by later investigators.<sup>8</sup>

### III. Theory

#### A. Transition Metal Hexafluoride Vibronic Coupling

The theory of a linear Jahn-Teller (LJT) effect has been well studied.<sup>12</sup> This section reviews LJT theory, as well as more general vibronic

coupling, that pertains to a  $\Gamma_8(0_h^*)$  electronic state of an octahedral molecule. The simultaneous treatment of the two Jahn-Teller active vibrations,  $\nu_2(e_g)$  and  $\nu_5(t_{2g})$ , and the effect of low-symmetry crystalline fields on a Jahn-Teller active molecule are also discussed.

The Schrödinger equation for a molecule is written as

$$\mathcal{H}(\vec{p}, \vec{r}, \vec{P}, \vec{R}) \Psi(\vec{r}, \vec{R}) = E \Psi(\vec{r}, \vec{R}) \quad (1)$$

in which  $\vec{r}$ ,  $\vec{R}$ ,  $\vec{p}$ ,  $\vec{P}$  are electronic and nuclear coordinates and momenta.

The Hamiltonian can be partitioned into electronic and nuclear parts, and an electron-nuclear interaction term,

$$\mathcal{H}(\vec{p}, \vec{r}, \vec{P}, \vec{R}) = \mathcal{H}_e(\vec{p}, \vec{r}) + \mathcal{H}_n(\vec{P}, \vec{R}) + \mathcal{H}_{en}(\vec{r}, \vec{R}). \quad (2)$$

An electronic Hamiltonian can be formed by setting  $\vec{R} = \vec{R}^0$ ,  $\vec{R}^0$  being the equilibrium nuclear configuration,

$$\mathcal{H}_{el}(\vec{p}, \vec{r}; \vec{R}^0) = \mathcal{H}_e(\vec{p}, \vec{r}) + \mathcal{H}_n(\vec{R}^0) + \mathcal{H}_{en}(\vec{r}; \vec{R}^0). \quad (3)$$

The eigenfunctions and energies of  $\mathcal{H}_{el}$  are denoted as  $\psi_i^{el}(\vec{r}; \vec{R}^0)$  and  $E_i^{el}(\vec{R}^0)$ . If the degenerate state of interest is isolated, then  $\Psi(\vec{r}, \vec{R})$

can be approximated by expanding it in terms of the  $n$  degenerate components of the electronic state. This approach is often called the "Crude Adiabatic Approximation."<sup>12f</sup> An  $n \times n$  matrix Hamiltonian can be generated by multiplying any of the  $n \psi_i^{*el}$  functions times eqn.(1) and integrating over the electronic coordinates. This gives,

$$\begin{aligned} \mathcal{H}(\vec{P}, \vec{R}) \chi(\vec{R}) &= E \chi \\ \mathcal{H}(\vec{P}, \vec{R}) &= \mathcal{H}_n(\vec{P}, \vec{R}) + \mathcal{H}_{en}(\vec{R}) + \mathcal{H}_e \end{aligned} \quad (4)$$

In order to make the problem tractable, the  $\mathcal{H}_{en}(\vec{R})$  term can then be expanded in a Taylor series in the symmetry coordinates,  $Q_{TY}$ , yielding,

$\Psi =$  Psi (lower case)  
 $\chi =$  Chi (lower case)

$\mathcal{H} =$  Hamiltonian  
 $\Psi =$  Psi (upper case)



$$\underline{\mathcal{H}}_{en}(\vec{R}) = \underline{\mathcal{H}}_{en}(\vec{O}) + \sum_{\Gamma, \gamma} \underline{C}_{\Gamma, \gamma}^{(1)} Q_{\Gamma, \gamma} + \dots \quad (5)$$

in which

$$(\underline{C}_{\Gamma, \gamma}^{(1)})_{ij} = \int \psi_i^{el} \left\{ \frac{\partial \underline{\mathcal{H}}_{en}(\vec{r}, \vec{R})}{\partial Q_{\Gamma, \gamma}} \right\}_0 \psi_j^{el} d\vec{r}. \quad (6)$$

$\Gamma$  labels irreducible representations and  $\gamma$  are their components. LJT theory corresponds to retaining only the linear terms in the expansion, along with the usual elastic terms.

In the event that the linear terms are zero by group theory either because the electronic state is non-degenerate or the degeneracy is only of the Kramers' type, Born-Oppenheimer (BO) type functions can be obtained for  $\underline{\Psi}(\vec{r}, \vec{R})$ . This should be an adequate approximation for  $\Gamma_6$  and  $\Gamma_7$  Kramers' degenerate states in the hexafluorides.

The matrix Hamiltonian for vibronic coupling in an isolated  $\Gamma_8$  state reduces to,

$$\begin{aligned} \underline{\mathcal{H}}(\vec{P}, \vec{R}) &= \underline{\mathcal{H}}^0 + \underline{\mathcal{H}}' + \dots \\ \underline{\mathcal{H}}^0 &= \underline{\mathcal{H}}_2^0 \underline{I} + \underline{\mathcal{H}}_5^0 \underline{I} \\ \underline{\mathcal{H}}' &= \underline{\mathcal{H}}_2' + \underline{\mathcal{H}}_5' \\ \underline{\mathcal{H}}_2' &= \underline{\mathcal{L}}_E (q_1 \underline{p}_1 + q_2 \underline{p}_2) \\ \underline{\mathcal{H}}_5' &= \underline{\mathcal{L}}_T \underline{p}_3 (Q_1 \underline{\sigma}_1 + Q_2 \underline{\sigma}_2 + Q_3 \underline{\sigma}_3). \end{aligned} \quad (7)$$

In the above, the following standard notation has been used:

- i)  $\underline{\mathcal{H}}_2^0$  and  $\underline{\mathcal{H}}_5^0$  are the harmonic oscillator Hamiltonians for the  $\nu_2(e_g)$  and  $\nu_5(t_{2g})$  vibrations.
- ii)  $q$  and  $Q$  denote the symmetry coordinates for the  $\nu_2$  and  $\nu_5$  vibrations, respectively
- iii)  $\underline{\mathcal{L}}_E$  and  $\underline{\mathcal{L}}_T$  are the linear vibronic coupling parameters. They are related to the  $\underline{C}_{\Gamma, \gamma}^{(1)}$  (defined above) by the Wigner-Eckart theorem.

$\sigma$  = lower case Sigma  
 $\partial$  = partial  
 $\tau$  = lower case Tau  
 $\rho$  = lower case Rho  
 $\gamma$  = lower case Gamma  
 $\epsilon$  = lower case Epsilon  
 $\Sigma$  = upper case Sigma  
 $\Gamma$  = upper case Gamma

iv)  $\underline{\rho}_i$  and  $\underline{\sigma}_i$  are the (4 x 4) Dirac matrices.<sup>13</sup> They have the following properties:

$$\begin{aligned} [\underline{\sigma}_\alpha, \underline{\sigma}_\beta] &= 2i\epsilon_{\alpha\beta\gamma} \underline{\sigma}_\gamma, [\underline{\rho}_\alpha, \underline{\rho}_\beta] = 2i\epsilon_{\alpha\beta\gamma} \underline{\rho}_\gamma \\ [\underline{\sigma}_\alpha, \underline{\sigma}_\beta]_+ &= 2\delta_{\alpha\beta} \underline{I}, [\underline{\rho}_\alpha, \underline{\rho}_\beta]_+ = 2\delta_{\alpha\beta} \underline{I} \\ [\underline{\rho}_\alpha, \underline{\sigma}_\beta] &= 0 \end{aligned} \quad (8)$$

Some higher order terms for  $\underline{\mathcal{H}}(\vec{P}, \vec{R})$  can be found in ref. 13.

In the LJT approximation, several commuting operators can be found. Let  $L_{2z}$  and  $\hat{L}_5$  be the vibrational angular momenta of the  $\nu_2$  and  $\nu_5$  vibrations, then

$$\begin{aligned} \underline{J}_5 &= \hat{L}_5 \underline{I} + \frac{1}{2} \hbar \underline{\sigma} \\ \underline{J}_{2z} &= L_{2z} \underline{I} + \frac{1}{2} \hbar \underline{\rho}_3 \end{aligned} \quad (9)$$

and  $\underline{J}_5^2, \underline{J}_{5z}, \underline{J}_{2z}$  and  $\underline{\mathcal{H}}(\vec{P}, \vec{R})$  form a set of mutually commuting operators; thus the solutions of  $\underline{\mathcal{H}}(\vec{P}, \vec{R})$  can be labeled by the quantum numbers  $j_5, j_{5z}$  and  $j_{2z}$ . In effect these considerations (i.e., an isolated  $\Gamma_{8g}$  state, harmonic basis sets, etc.) reduce the problem to one of pseudo-spherical symmetry.

If the  $\underline{\mathcal{H}}'_5$  and  $\underline{\mathcal{H}}'_2$  problems are considered separately then the commuting operators are the sets  $\{\underline{J}_5^2, \underline{J}_{5z}, \underline{\rho}_3, \underline{\mathcal{H}}'_5\}$  and  $\{\underline{J}_{2z}, \underline{\sigma}_3, \underline{\mathcal{H}}'_2\}$ , respectively.  $\rho_3$  and  $\sigma_3$  are electronic quantum numbers which take on the values  $\pm 1$ .<sup>11,12</sup>

Numerical solutions for  $\underline{\mathcal{H}}'_2$  and  $\underline{\mathcal{H}}'_5$  have been found.<sup>12e,g</sup>

Second order perturbation theory results for the case of small  $l_\epsilon$  and  $l_z$  have also been obtained.<sup>12d</sup> However, the case in which  $l_\epsilon$  and  $l_z$  are not small has not been treated previously and will be discussed here.

A secular matrix for  $\underline{\mathcal{H}}'$  can be formed by using basis functions composed of  $\nu_2$  and  $\nu_5$  harmonic oscillator functions and components of the  $\Gamma_8$

$\beta$  = lower case Beta

$\alpha$  = lower case Alpha

$\delta$  = lower case Delta

electronic functions; the explicit form need not be determined, since the matrix elements can be found using operator methods.

The basis kets are written as

$$\left| \begin{matrix} n_5 j_5 j_{5z} \pm \\ n_2 j_{2z} \pm \end{matrix} \right\rangle \quad (10)$$

in which the top (+) sign indicates that  $l_5 = j_5 \pm 1/2$  while the bottom (+) sign indicates that  $l_{2z} = j_{2z} \pm 1/2$ .

As might be expected from the form of  $\mathcal{H}'$ , only matrix elements which appear in the  $\mathcal{H}'_2$  problem or the  $\mathcal{H}'_5$  problem enter into the secular matrix for  $\mathcal{H}'$ . The matrix elements for the  $\mathcal{H}'_2$  secular matrix were found by Longuet-Higgins<sup>12e</sup>, and the  $\mathcal{H}'_5$  matrix elements were calculated by Child.<sup>14</sup> Above-diagonal matrix elements are gathered here for convenience:

$$\begin{aligned} \left\langle \begin{matrix} n_5 j_5 j_{5z} \pm \\ (n_2-1) j_{2z} - \end{matrix} \right| \mathcal{H}' \left| \begin{matrix} n_5 j_5 j_{5z} \pm \\ n_2 j_{2z} + \end{matrix} \right\rangle &= \left\{ (n_2 + j_{2z} + 1/2) D_2 \right\}^{1/2} \hbar \omega_5 \\ \left\langle \begin{matrix} n_5 j_5 j_{5z} \pm \\ (n_2-1) j_{2z} + \end{matrix} \right| \mathcal{H}' \left| \begin{matrix} n_5 j_5 j_{5z} \pm \\ n_2 j_{2z} - \end{matrix} \right\rangle &= \left\{ (n_2 - j_{2z} + 1/2) D_2 \right\}^{1/2} \hbar \omega_2 \\ \left\langle \begin{matrix} (n_5-1) j_5 j_{5z} - \\ n_2 j_{2z} \pm \end{matrix} \right| \mathcal{H}' \left| \begin{matrix} n_5 j_5 j_{5z} + \\ n_2 j_{2z} \pm \end{matrix} \right\rangle &= (\mp) \left\{ (n_5 + j_5 + 3/2) D_5 \right\}^{1/2} \hbar \omega_5 \\ \left\langle \begin{matrix} (n_5-1) j_5 j_{5z} + \\ n_2 j_{2z} \pm \end{matrix} \right| \mathcal{H}' \left| \begin{matrix} n_5 j_5 j_{5z} - \\ n_2 j_{2z} \pm \end{matrix} \right\rangle &= (\mp) \left\{ (n_5 - j_5 + 1/2) D_5 \right\}^{1/2} \hbar \omega_5 \end{aligned}$$

in which  $D_2 = \frac{\hbar^2}{2m_2 \hbar \omega_2^3}$  and  $D_5 = \frac{\hbar^2}{2m_5 \hbar \omega_5^3}$ . (11)

Thus, the problem can be solved by diagonalizing a  $[(n_{5_{\max}} + 1)(n_{2_{\max}} + 1)]$  by

$(n_{5_{\max}} + 1)(n_{2_{\max}} + 1)]$  matrix whose elements have been given by simple formulae. A typical value for both  $n_{5_{\max}}$  and  $n_{2_{\max}}$  is 9 which leads to a 100 x 100 secular matrix to be diagonalized.

Examples of the  $\mathcal{H}'_2$  and the  $\mathcal{H}'_5$  calculations are given in Figs. 1 and 2; an illustration of the simultaneous calculation for  $\mathcal{H}'$  is given in Figure 3.

Selection rules for Raman scattering are given by  $\Delta j_i = 0, 1$ <sup>15</sup>. Selection rules for an optical transition between a B0 state and a LJT state depend on the vibrational angular momentum of the B0 state  $l_i$  and are given in terms of the quantum numbers by  $l_i = j_i \pm 1/2$ <sup>15</sup>.

Intensity calculations have been discussed by Brand, Goodman, and Weinstein.<sup>5, 16</sup>

In the event that the LJT approximation fails, a qualitative idea of the splitting, mixing and shifting of the vibronic levels can be obtained by considering the symmetry, in  $O_h^*$ , of the zeroth-order vibronic states. The symmetry labels of these states can be found simply by taking the direct product of the irreducible representations of the electronic and vibrational functions. This approach can be called General Vibronic Coupling (GVC) theory. Correlations between the Born-Oppenheimer states, LJT states and the GVC states are shown in Figure 4 and Figure 5 for  $\nu_2$  and  $\nu_5$  levels.

At low temperatures, the hexafluorides belong to the space group Pnma and have site symmetry  $C_s$ . Thus, it is important to determine the effect of a low symmetry field  $\Phi$  on a Jahn-Teller active molecule. Since the splitting of the electronic origin is typically an order of magnitude larger than the splitting of "normal" vibrations, only the former will be treated, i.e.,  $\Phi(\vec{r})$ . By using the symmetry properties ( $C_s$ ) and the hermiticity of  $\Phi(\vec{r})$ , a matrix Hamiltonian for the site field can be expressed in terms of certain  $O_h$  tensor operators, represented in a  $\Gamma_8$  manifold, as

$$\Phi_{C_s} = k^{A_g} I + k_{\Theta}^{E_g} \rho_1 + k_{\xi}^{t_{2g}} \rho_3 \sigma_1 + k_{\eta}^{t_{2g}} \rho_3 \sigma_2 + k_{\zeta}^{t_{2g}} \rho_3 \sigma_3. \quad (12)$$

Since the mirror plane is taken to be between the x and y axes,  $k_{\xi}^{t_{2g}} = k_{\eta}^{t_{2g}}$ . If  $\Phi_{C_s}$  is added to  $\mathcal{H}$ , the  $j_5, j_{5z}, j_{2z}, (\rho_3 \text{ and } \sigma_3)$  all cease to be good quantum numbers and general solutions are difficult to obtain.

$\Phi =$  upper case Phi  
 $\Theta =$  lower case Theta  
 $\xi =$  lower case Xi  
 $\eta =$  lower case Eta  
 $\zeta =$  lower case Zeta



A useful approximation is to consider the site symmetry as tetragonal ( $D_{4h}$ ). In that case,

$$\begin{aligned}\underline{\Phi}_{D_{4h}} &= k'^{A_{1g}} \underline{I} + k'^{E_g} \underline{\rho}_1 \\ \text{and } [\underline{J}_5^2, \underline{\Phi}_{D_{4h}}] &= 0 \\ [\underline{J}_{5z}, \underline{\Phi}_{D_{4h}}] &= 0.\end{aligned}\tag{13}$$

Therefore,  $j_5$  and  $j_{5z}$  remain good quantum numbers ( $j_{2z}, \rho_3, \sigma_3$  do not), which simplifies calculations.

Calculations for  $(\underline{\mathcal{H}}'_5 + \underline{\Phi}_{D_{4h}})$  show that the crystal field (CF) splitting of the origin  $\Delta$  is carried approximately, by the rest of the  $v_5$  vibronic levels ( $\Delta \approx \Delta'$ ). This is illustrated in Figure 6.

Calculations for  $(\underline{\mathcal{H}}'_2 + \underline{\Phi}_{D_{4h}})$  give much different results. In certain vibronic levels the crystal field splitting is largely quenched while in others it is not, as illustrated in Figure 7.

Another useful approximation is to assume that the field is trigonal ( $D_{3d}$ ). In that case,

$$\begin{aligned}\underline{\Phi}_{D_{3d}} &= k''^{A_{1g}} \underline{I} + k'^{t_{2g}} (\underline{\rho}_3 \underline{\sigma}_1 + \underline{\rho}_3 \underline{\sigma}_2 + \underline{\rho}_3 \underline{\sigma}_3) \\ \text{and } [\underline{J}_{2z}, \underline{\Phi}_{D_{3d}}] &= 0.\end{aligned}\tag{14}$$

Therefore,  $\rho_3, \sigma_3, j_5, j_{5z}$  are lost as good quantum numbers and only  $j_{2z}$  remains to classify states of  $(\underline{\mathcal{H}}(\vec{P}, \vec{R}) + \underline{\Phi}_{D_{3d}})$ . Qualitative behavior of the  $(\underline{\mathcal{H}}'_2 + \underline{\Phi}_{D_{3d}})$  and the  $(\underline{\mathcal{H}}'_5 + \underline{\Phi}_{D_{3d}})$  problems is clear: The crystal field splittings of some vibronic levels in the  $(\underline{\mathcal{H}}'_5 + \underline{\Phi}_{D_{3d}})$  problem may be quenched, whereas in the case of  $(\underline{\mathcal{H}}'_2 + \underline{\Phi}_{D_{3d}})$ , the splitting should be reproduced throughout the entire vibronic spectrum.

### B. Neat Crystal

In a neat crystal every site adapted molecular state will generate a band of crystal states. For the transition metal hexafluoride crystal structure,  $4m$  branches (or brands) will be created from site adapted molecular levels with  $m$  (nearly) degenerate states when the levels are described by single valued representations (e.g.,  $B_0$  vibrations).  $2m \underline{k} = 0$  components will be Raman allowed.<sup>17</sup>

For site states described by double valued representations (electronic or vibronic states of  $\text{ReF}_6$ ) but retaining Kramers degeneracy (paramagnetic crystal), the details of crystal states have been discussed.<sup>18</sup> Again  $2m \underline{k} = 0$  components are allowed in Raman spectra.

Discussion of single valued crystal excitations deriving from double valued site functions has been presented for magnetically ordered  $\text{ReF}_6$ .<sup>18</sup> Kramers degeneracy is removed in a magnetically ordered crystal and, in general, one may expect  $4m$  nondegenerate levels. Selection rules for the various magnetic structures have also been determined. All, in general, nondegenerate  $4m \underline{k} = 0$  components are Raman allowed for structures described by Shubnikov groups  $\mathbb{W}_{62}^{443}$ ,  $\mathbb{W}_{62}^{444}$ ,  $\mathbb{W}_{62}^{445}$ , and  $\mathbb{W}_{62}^{449}$  (see Figure 5, reference 18). Since each site corepresentation of the remaining groups applicable to  $\text{ReF}_6$  crystals induces equal numbers of gerade and ungerade factor group corepresentations, only  $2m \underline{k} = 0$  components are Raman allowed in those structures. The implication is that a doubling of the number of observed Raman components, compared to the number observed in the high temperature paramagnetic structure, could occur. It will therefore be difficult to use the low temperature neat crystal Raman spectra in discussing the vibronic coupling in  $\text{ReF}_6$ .

### IV. Experimental

The experiments to determine relative intensities in the  $2\mu\text{m}$  absorption



band of  $\text{ReF}_6$  in  $\text{MF}_6$  crystals ( $M = \text{Re}, \text{W}, \text{Mo}, \text{U}$ ) have been previously presented.<sup>18</sup> The intensities were measured from high resolution data transferred to an optical density scale. The spectra were cut out and weighed.

Crystals for Raman studies were:  $\text{ReF}_6$  (neat), 5%  $\text{ReF}_6$  in  $\text{TeF}_6$  and in  $\text{UF}_6$ , and 1%  $\text{ReF}_6$  in  $\text{MoF}_6$ . Description of the syntheses, sample preparation and crystal growth may be found in ref. 18. Raman spectra were obtained of all samples at liquid nitrogen temperature. Spectra of the neat and  $\text{TeF}_6$  host crystals were also obtained with samples immersed in superfluid helium. Spectral interferences made the  $\text{UF}_6$  and  $\text{MoF}_6$  crystal samples difficult to interpret and therefore most of the ensuing discussion will be confined to  $\text{ReF}_6$  and 5%  $\text{ReF}_6/\text{TeF}_6$  samples.

#### V. Intensities in Optical Transitions

It has been pointed out that non- $B_0$  character of the ground state of  $\text{ReF}_6$  should induce progressions of the corresponding normal vibrations in a transition to the  $B_0$  type  $\Gamma_{7g}$  manifold.<sup>5</sup> This fact has been used by Brand, Goodman and Weinstock<sup>5</sup> to estimate the value of  $D_5$  in the ground  $\Gamma_8$  state. Several factors conspire to make this theoretically correct procedure inapplicable for  $\text{ReF}_6$ . All of them hinge on the fact that the vapor phase spectra are very broad and to get meaningful intensities the spectra have to be taken in the solid.

The intensities of the transitions to the  $\nu_5$   $n = 0, 1, 2$  levels have been measured in various crystals. The results are displayed in Figure 8; normalization to the  $n = 1$  level points out the significant variation of origin intensity. There is evidently a strong origin intensity enhancement associated with pure crystal intermolecular interactions. The origin intensity decreases with concentration showing that even at 2 mole percent concentration aggregates bring in significant intensity. The 0.3%  $\text{ReF}_6$  in  $\text{UF}_6$  origin

intensity is still larger than the 0.3%  $\text{ReF}_6$  in  $\text{MoF}_6$  intensity presumably due to the longer range of the intermolecular superexchange interactions in that host.<sup>18</sup> One is forced to accept the 0.3%  $\text{ReF}_6$  in  $\text{MoF}_6$  value as the best approximation for an infinite dilution ideal mixed crystal transition intensity. Figure 9 which reproduces curves calculated by Brand, Goodman and Weinstock, shows that reasonable  $D_5$  values will not fit the  $\text{ReF}_6$  in  $\text{MoF}_6$  data. It might also be commented that our intensity points for the neat crystal do not match exactly the values which were originally determined. Possibly our higher resolution or intensity variations due to differing amounts of magnetic ordering (differing temperatures of samples) may be responsible.

One is forced to consider alternative explanations for the intense transition to the  $n = 1$  level. One possibility is the combined effects of a static molecular displacement in this coordinate accompanied by a change of curvature of the potential. An indication of increased distortion in the ground state has been noted<sup>18</sup> in conjunction with the larger site splitting of  $\nu_6$  in the ground state ( $\sim 10 \text{ cm}^{-1}$ ), compared to that observed in the  $\Gamma_{7g}$  excited level ( $\sim 3 \text{ cm}^{-1}$ ). Vibrational overlap factors computed for three-dimensional oscillators with several frequency ratios are plotted as functions of the displacement in Figure 10. Behavior of the data cannot be produced with reasonable displacements or ratios of frequencies. An important feature of both the displaced oscillator and LJT scheme is that an appreciable fraction of the intensity should be found in the higher overtones of  $\nu_5$  for larger magnitudes of either mechanism. It is therefore likely that the combined effect of a dynamical LJT effect on a static (crystal induced) distortion will not cause the behavior either. Perhaps scrambling of the normal coordinates on the low symmetry site and/or vibronic coupling to other electronic states (or between these two) is responsible for the greatly enhanced trans-

ition intensity to the  $n = 1$  level of  $\nu_5$ .

Given all of these factors, it is clear that no meaningful estimate of ground state  $D_5$  can obtain from the intensity data of the  $\Gamma_7 \leftarrow \Gamma_8$  transition.

## VI. Raman Spectra

The Raman spectra of a neat crystal of  $\text{ReF}_6$  at liquid nitrogen and superfluid helium temperatures are displayed in Figure 11 and summarized in Table 1.

### A. The Normal (B0) Vibrations

The  $\nu_1$ ,  $\nu_3$  and  $\nu_6$  features are similar to those observed in the Raman spectra of crystalline  $\text{WF}_6$ ,  $\text{MoF}_6$  and  $\text{UF}_6$  at 77K.<sup>17</sup> Only slight shifts are observed in these features between 77K and 2K. These shifts may be due to the change in intermolecular interaction derivative terms which determine excitonic structure or simply to changes in the site potential functions for those coordinates due to the added exchange potential caused by magnetic ordering.<sup>18</sup>

Initially it is somewhat surprising that no hot bands corresponding to transitions between vibrations associated with different low energy electronic levels are observed. Consider the splitting of a degenerate electronic state by a crystal field. In the B0 approximation, separate vibrational potential surfaces exist for each electronic level; two distinct molecular energy levels are thereby created, as shown in Figure 12. If these vibrational frequencies are equal in both wells (considered a good approximation for  $\text{ReF}_6$ )  $\Delta = \Delta'$  and the energies of the transitions are

$$E_a = E_d = h\nu$$

$$E_b = h\nu + \Delta$$

$$E_c = h\nu - \Delta.$$

Treating the problem on only a molecular level, transitions a and d are pure vibrational. On the other hand transitions b and c are "vibroelectronic" and



have different (and weaker) scattering mechanisms. Only transitions of type a and d have been observed in  $\text{ReF}_6$  for the normal (B0) vibrations. This discussion also applies if the splitting has been caused by magnetic interactions, as the states are still B0 states.

In  $\text{ReF}_6$  crystals at 77K, there is a significant population of electronic excitons corresponding to the  $25 \text{ cm}^{-1}$  excited state. Wavevector conservation can be fulfilled in a band-to-band transition corresponding to a molecular type d transition. These transitions would plot out a convolution of the two exciton band structures. (This is similar to the vibrational hot band technique used to map out the electronic exciton density of states of naphthalene.)<sup>19</sup> However, only sharp lines are observed. The implication is that these low energy electronic excitations and vibrational excitons are not bound but exist more or less independently in the crystal. That is, a  $\underline{k} = 0$  vibrational state is created without regard to the wavevector of the electronic exciton.

If the vibration of interest is subject to vibronic coupling, the simple picture just presented for B0 states does not apply. All of the levels are vibronic in nature and vibrational, electronic, and "vibroelectronic" Raman scattering mechanisms (all described in a B0 reference basis) along with Rayleigh scattering mechanism can apply to every transition. Hot bands are thereby observed (see below).

#### B. The $\nu_2$ Region

The  $\text{TeF}_6$  mixed crystal and the neat crystal spectra for  $\nu_2$  are shown in Figure 13. The mixed crystal is relatively concentrated (ca. 5%  $\text{ReF}_6$ ) and aggregate structure may exist. The 2K  $\text{ReF}_6/\text{TeF}_6$  spectrum shows two intense peaks and one medium peak which are clearly monomeric. The feature at  $644 \text{ cm}^{-1}$  is probably  $2 \nu_4$  of  $\text{TeF}_6$  while the weak features between it and the  $613 \text{ cm}^{-1}$  peak are probably the  $\nu_4 + \nu_5$  and  $2 \nu_5$  structure.<sup>4</sup> The very

weak peak around  $590\text{ cm}^{-1}$  could easily be the residual hot band of the  $613\text{ cm}^{-1}$  transition. The 77K spectrum is generated from the 2K spectrum by addition of (type c and d) hot bands with  $\Delta \sim 20\text{ cm}^{-1}$ .

The neat crystal 2K spectrum bears strong resemblance to the mixed crystal spectrum although magnetic ordering and (minor) exciton effects are in evidence. The 77K neat crystal spectrum may also be seen to arise from the 2K spectrum, although some frequency shifts are present. The lack of definition of the 77K spectrum must be due to excitonic behavior of the vibronic levels (or to very strong phonon coupling). The band-to-band transitions which did not result in exciton band convolutions for the normal (B0) vibrations will do so in this case. It would not be realistic to speak of multiparticle crystal states resulting from the splitting of a strongly vibronic molecular state into two nearly independent excitations, one mainly electronic and the other mainly vibrational in character.<sup>17,18</sup>

The vibronically coupled, crystal field split, magnetically ordered crystal site model (no exciton splitting) predicts eight possible vibronic levels in the  $v_2$   $n = 1$  region. Only four features are clearly observed. The  $5\text{ cm}^{-1}$  temperature shift of at least one peak suggests that magnetic interactions are important since the corresponding structure did not shift in the  $\text{TeF}_6$  mixed crystal. The  $2\mu$  absorption band of the neat crystal was also observed to shift to higher energy by  $5.8\text{ cm}^{-1}$ .<sup>18</sup> One can only speculate at present as to why only half of the transitions are observed. Magnons may cause line broadening; additionally, selection rules, based on the unique (nondegenerate) ordered crystal ground state, may reduce the intensity of half the transitions. It is difficult to assess this latter mechanism because the magnetic structure is unknown. However, vibroelectronic transitions should now be allowed in principle through mixing of the B0 states to form vibronic states.

The important point regarding the Jahn-Teller interpretations is that at

least three vibronic features out of the four predicted for a nonmagnetic system (Figure 3) occur within a  $60 \text{ cm}^{-1}$  region. No significant intensity was observed near the  $\nu_1$  peak. If  $\nu_2$  and  $\nu_5$  are considered to be independently involved in linear vibronic coupling, one can place an upper limit to the LJT effect as that which would cause a full  $60 \text{ cm}^{-1}$  splitting:  $D_2 \approx .03$ ,  $\nu_2^0 \approx 586 \text{ cm}^{-1}$ . This would be a major downward revision of the magnitude of the LJT effect. The decrease in frequency from a zero order  $\nu_2^0$  of approximately  $670 \text{ cm}^{-1}$  predicted by hexafluoride systematics<sup>3</sup> is not explained by such assumptions, however. This situation along with alternative assignments will be discussed more fully later.

### C. The $\nu_5$ Region

The absence of any major intensity below  $200 \text{ cm}^{-1}$  and above  $80 \text{ cm}^{-1}$  in the neat crystal spectra and the occurrence of moderately intense structure around  $380 \text{ cm}^{-1}$  lead us to reject the second set of parameters ( $D_5 = .42$ ,  $\nu_5^0 = 176 \text{ cm}^{-1}$ ) offered by Brand, Goodman and Weinstock<sup>5</sup> and to adopt the first set ( $D_5 = .31$ ,  $\nu_5^0 = 334 \text{ cm}^{-1}$ ) as a starting point in the discussion of the spectra. The  $230$  and  $380 \text{ cm}^{-1}$  regions are assigned as  $j_5 = 3/2$  and  $j_5 = 1/2$  in the LJT model, respectively. The  $j_5 = 1/2$  regions of the neat and  $\text{TeF}_6$  mixed crystals are shown in Figure 14 and the  $j_5 = 3/2$  regions are shown in Figure 15.

In the  $j_5 = 1/2$  region the  $413 \text{ cm}^{-1}$  feature in the mixed crystal is assigned as  $2 \nu_6$  of the host, in keeping with the general upward gas to crystal shift of  $\nu_6$  in these crystals ( $\nu_6 = 197 \text{ cm}^{-1}$  in vapor)<sup>4,17</sup>. The  $386 \text{ cm}^{-1}$  peak is clearly a monomeric  $\text{ReF}_6$  peak with an associated hot band at  $367 \text{ cm}^{-1}$ . The weak  $338 \text{ cm}^{-1}$  feature is assigned as  $2 \nu_6$  of  $\text{ReF}_6$ . The shift from the neat crystal value is attributed to the extreme sensitivity of low frequency vibrations to changes in crystal potentials.

The  $j_5 = 1/2$  regions of the neat crystal show features due to  $2 \nu_6$



around 330 to 350  $\text{cm}^{-1}$ . The sharp 351  $\text{cm}^{-1}$  component is probably part of the  $2 \nu_6$  structure since it shows no hot band. Collapse of the two features in the 2K neat crystal to their center of gravity at 77K and the occurrence of only one peak in the  $\text{TeF}_6$  crystal at approximately that position, indicate that the  $j_5 = 1/2$  neat crystal structure is a magnetic and/or excitonic phenomenon.

The assignment of the  $j_5 = 3/2$  region is much more difficult. The neat crystal peak is composed of a number of overlapping features; there is little hope of decomposing this structure without careful polarization studies. The mixed crystal 2K spectrum shows at least five components. The 207  $\text{cm}^{-1}$  feature is assigned as the  $\nu_6$  band of the  $\text{TeF}_6$  host in keeping with the previous comments about  $2 \nu_6$ . The intense 230 and 220  $\text{cm}^{-1}$  peaks are most certainly two of the  $j_5 = 3/2$  components. The structure at 246.8 and 250.7  $\text{cm}^{-1}$  appears remarkably like the expected site splitting of  $\nu_4$  in a  $D_{4h}$  (or  $D_{3d}$ ) model for the site; the intensity ratio is approximately 2:1 with the axial component raised in energy. The overall  $\nu_4$  intensity may be due to a Fermi resonance with the  $j_5 = 3/2 \nu_5$  component. It is also possible that these two features are part of the  $j_5 = 3/2$  component structure, but as discussed in the next section, this assignment is not favored.

The important conclusion to be extracted from these spectra is that the 380  $\text{cm}^{-1}$  region appears consistent with the  $j_5 = 1/2$  assignment and the increased complexity of the 230  $\text{cm}^{-1}$  region indicates it is the  $j_5 = 3/2$  region with overlapping  $\nu_4$  structure. Treating the  $\nu_5$  splitting alone, Figure 2 fits this data with  $\nu_5^0 \sim 285 \text{ cm}^{-1}$  and  $D_5 \sim .15$ . The shift of the zero order frequency downward from an expected 300  $\text{cm}^{-1}$  is not excessive. General vibronic coupling and interaction with the  $\nu_2$  vibronic levels are possible contributing mechanisms.

## VII. Discussion of the Assignment of $\nu_2$ and $\nu_5$

We have performed several calculations in the LJT limit for both  $\nu_2$  and  $\nu_5$ . An important result of these calculations is that even for weak LJT interactions ( $D_i \sim 0.05$ ) in the  $\nu_2$  and  $\nu_5$  coordinates, the behavior of the levels are strongly coupled. Besides the mutual quenching and shifts of the apparent zero order frequencies (the centers of the  $n = 1$  splitting patterns which would be required in a separated coupling fit to the data), specific level repulsions occur. Both  $j_{2z}$  and  $j_5$  are good quantum numbers and when they are equal in two closely positioned levels, the levels will repel.

Comparison of  $\nu_5^0 = 300 \text{ cm}^{-1}$  and  $\nu_2^0 = 670 \text{ cm}^{-1}$ , derived from frequency systematics, with the observed peaks centered at 230, 380, 570, and  $610 \text{ cm}^{-1}$ , leads one to conclude that the apparent zero-order frequencies have been shifted. Two possible mechanisms for this shift are the following:

- a) interaction of  $\nu_2$  and  $\nu_5$  vibronic levels. This is accounted for in the  $\mathcal{H}'$  secular matrix discussed in Section III A.
- b) LJT approximation fails. GVC or Renner-Teller quadratic terms are important.

In the LJT limit with a coupled  $\nu_2$ - $\nu_5$  calculation, the observed data can be fit with  $D_2 = 0.08$  and  $D_5 = 0.266$ . The calculated levels are shown in Table 2 and Fig. 3. In this assignment, the  $565 \text{ cm}^{-1}$  feature derives from the  $\nu_5$ ,  $n = 2$  B0 states<sup>2</sup>, but has mixed with (and repelled) the  $j_2 = 1/2$  state deriving from the  $\nu_2$ ,  $n = 1$  B0 states. This latter level is repelled to approximately  $900 \text{ cm}^{-1}$  (see Figures 1, 2, 3). The three peak distribution ca.  $600 \text{ cm}^{-1}$  could probably be fit with a quadratic vibronic coupling which splits the  $j_2 = 3/2$  level (forcing a readjustment of the location of the  $j_2 = 3/2$  LJT level). Crystal field splitting of the  $565 \text{ cm}^{-1}$  component is rejected as being inconsistent with the apparent lack of such splittings in the  $\nu_5$  components (see below).

The above possible assignment is, however, invalidated because it predicts substantial intensity (comparable to the  $565\text{ cm}^{-1}$  feature) at  $666\text{ cm}^{-1}$ ,  $855\text{ cm}^{-1}$ , and  $950\text{ cm}^{-1}$ . (See Figure 3.) In fact, some intensity is observed in the  $850\text{--}1000\text{ cm}^{-1}$  region. But assignment of the more intense feature around  $980\text{ cm}^{-1}$  as  $\nu_1 + (j_5 = 3/2, j_2 = 1/2; 236\text{ cm}^{-1})$  is preferred.

Rejecting the overall LJT assignment based on  $\nu_5^0 = 300\text{ cm}^{-1}$  and  $\nu_2^0 = 670\text{ cm}^{-1}$ , we return to the assignments based on the "apparent" values of  $\nu_5^0$  ( $\sim 285\text{ cm}^{-1}$ ) and  $\nu_2^0$  ( $\sim 585\text{ cm}^{-1}$ ). The shift,  $\delta = (\nu_i^0 - \bar{\nu}_i)$ , particularly for  $\nu_2$ , must be largely an effect of GVC (quadratic or higher order) terms. In a  $\Gamma_8$  electronic state these terms may cause not only a splitting of LJT  $j_i$  levels, but also shifts of the apparent zero order vibrational frequencies via level repulsion.

Calculations in this limit, for which GVC terms may be much larger than LJT terms (e.g., for  $\nu_2$ ), very rapidly become intractable. A coupled  $\nu_2\text{--}\nu_5$  calculation including all terms to second order for about 10 oscillators in each well, is presently being investigated for feasibility. One of the major problems with such a calculation is that it would include in its most general form nine independent parameters. Nonetheless, it can be seen qualitatively to account for the large apparent  $\nu_i^0$  shifts and the general overall observed intensity patterns. We further point out that the problem (see Section II) of an intense  $247\text{ cm}^{-1}$  gas phase hot band (forbidden in the LJT limit) can be easily accounted for by GVC terms.

The splitting pattern of the  $\text{ReF}_6$  mixed crystal  $\nu_5\ n = 1$  and  $\nu_2\ n = 1$  regions ( $j_i = 3/2$ , 2 components;  $j_i = 1/2$ , 1 component) has also been seen in the absorption spectra of  $\text{IrF}_6$  in hexafluoride crystals.<sup>11</sup> In that case, the apparent  $\nu_5^0$  is approximately  $225\text{ cm}^{-1}$ , shifted downward by about  $60\text{ cm}^{-1}$  from an expected unperturbed value of  $285\text{ cm}^{-1}$  (a much larger effect than in  $\text{ReF}_6$ ). The LJT splitting is described by  $D_5 = .03$  (a much smaller effect than

in  $\text{ReF}_6$ ). However, a second set of  $\text{IrF}_6$  peaks is observed at higher energies, shifted from the original set by the crystal field origin splitting ( $\Delta = \Delta'$ ), for all observed vibrations and vibronic levels. These comparisons are summarized in Table 3. There are two possibilities for the failure to observe corresponding crystal field split  $\nu_2$  and  $\nu_5$  states in the Raman spectra of  $\text{ReF}_6$ :

- 1) There are approximate selection rules disallowing transitions to the upper (or lower) crystal field split levels. This could occur, for instance, if only "vibroelectronic" type transitions (see Figure 12) connected the shifted states to the lowest (crystal field split) molecular level. However, scattering mechanisms are in general quite complicated for these vibronic states.<sup>15</sup> The observation of hot bands in the  $j_5 = 1/2$  level argues against this exclusion. Also, the low symmetry site causes a general weak mixing of states which is responsible for observation of the molecular ungerade modes in Raman scattering, and would probably do the same for the vibronic states.
- 2) The crystal field splitting is quenched in  $\text{ReF}_6$  to less than the observed line widths (about  $5 \text{ cm}^{-1}$ ) by the vibronic interactions. It has been shown in Section III A that the tetragonal field is strongly quenched for  $\nu_2$  LJT coupling and is preserved for  $\nu_5$  LJT coupling. For a trigonal field the behavior with respect to  $\nu_2$  and  $\nu_5$  is reversed. This argument, of course, becomes more qualitative in nature for the coupled  $\nu_2$ - $\nu_5$  system which actually exists in either of these molecules. We believe these conclusions are still nonetheless useful.



The latter possibility seems more reasonable and can be specifically applied to compare  $\text{IrF}_6$   $\nu_5$  modes with  $\text{ReF}_6$   $\nu_5$  modes. The larger LJT effect in  $\text{ReF}_6$   $\nu_5$  implies that a larger distortion could be created by small crystal forces. In fact,  $\nu_6$  of  $\text{ReF}_6$  has a factor of three larger site splittings in the  $\text{ReF}_6$  ground  $\Gamma_8$  than in either the  $\text{ReF}_6$   $\Gamma_7$  or  $\text{IrF}_6$   $\Gamma_8$  or  $\Gamma_7$  states ( $>10 \text{ cm}^{-1}$  compared to  $3-4 \text{ cm}^{-1}$ ). The crux of the argument is not that the distortion has to be large, but that it removes the effective electronic crystal field from the  $D_{4h}$  regime creating a vibronically quenchable splitting operator. There may be some correlation of this effect with the nearly factor of two larger splitting of  $\text{IrF}_6$  electronic  $\Gamma_8$  levels over that of  $\text{ReF}_6$ , but the details of the wavefunctions have not been examined.

The  $\nu_2$  regions presents a difficult problem, because LJT coupling is clearly a smaller total effect than any GVC terms. Since  $\nu_2$  has not been observed in  $\text{IrF}_6$ , no direct comparison between the two molecules can be made. It would appear as though the large GVC or RT terms for  $\nu_2$  quench crystal field splitting in  $n_2 \neq 0$  vibronic levels for fields of any symmetry.

Again assuming validity of separate  $\nu_2$ - $\nu_5$  vibronic quenching effects, these data taken together imply that the  $\Gamma_8$  ground state of  $\text{ReF}_6$  experiences a predominantly  $t_{2g}$ -like crystal field,  $\text{IrF}_6$   $\Gamma_8$  states experience a predominantly  $e_g$ -like crystal field, and strong GVC terms are capable of quenching electronic crystal field interactions in  $\Gamma_8$  states.

Finally, similarity between neat and mixed crystal Raman spectra for  $\text{ReF}_6$   $\nu_2$  and  $\nu_5$  is worth noting with regard to the quenching of electronic operators. In other hexafluorides the  $\nu_2$  and  $\nu_5$  exciton band widths are roughly  $20 \text{ cm}^{-1}$ . Apparently exciton interactions are almost completely quenched by vibronic coupling. This coupling is greater in  $\text{ReF}_6$  than in  $\text{IrF}_6$ .

## VI. Summary and Conclusions

It has been shown with a series of Raman and optical absorption spectra of neat and mixed crystals that: 1) the technique of measuring intensities of vibrational progressions in absorption spectra of crystals is possibly misleading and for  $\text{ReF}_6$  unfruitful in determining the magnitude of Jahn-Teller coupling; 2) increased resolution, increased molecular density, and reduction of symmetry in the solid have allowed more detailed views of the  $\text{ReF}_6$  Raman spectrum; 3) splittings due to vibronic coupling in the  $\nu_2$  mode appear small. A  $D_2$  value less than .03 seems necessary with  $\nu_2^0 \sim 586 \text{ cm}^{-1}$ , and there is a strong Renner Teller or GVC shift in  $\nu_2$ ; 4) the major splitting of the  $\nu_5$  structure is fit by a linear Jahn-Teller effect with  $D_5 = .15$  and  $\nu_5^0 = 285 \text{ cm}^{-1}$ . The small shift of  $\nu_5^0$  may be due largely to the vibronic coupling in the  $\nu_2$  modes; 5) crystal field splittings have not been observed in the upper vibronic levels and the effect has been discussed in terms of molecular distortion and the vibronic quenching of the low symmetry crystal field potential; 6) although crystal perturbation affects the details of the vibronic coupling, the similarity of the crystal and vapor spectra require reinterpretation of the vapor spectra in keeping with the above conclusions; 7) several consequences of the low lying electronic level, vibronic activity, and magnetic ordering of  $\text{ReF}_6$  have been observed in the crystal Raman spectra; and 8) vibronic activity effectively quenches the  $\nu_2$  and  $\nu_5$  exciton structure.



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Table 1. Summary of Raman Spectra of Neat  $\text{ReF}_6$  Crystals taken Near 77K and 2K.

Stokes Shift ( $\text{cm}^{-1}$ )		Assignment
77K	2K	
18.4	}	phonons
25.6		
29.9		
35.4		
49.2		
65.4		
82.9		
167	}	$\nu_6$
180		
	227.4	$\nu_5$ ( $j = 3/2$ )
232.4	234.0	
256.5	263.3	$\nu_4$
350.5	335.9	$2 \nu_6$
	350.9	
362.3	378.2	$\nu_5$ ( $j = 1/2$ )
386.5	396.1	
541.5	}	$\nu_2$
558.2	558.4	
	569.7	
579.9	580.3	
613.9	618.9	$\nu_3$
656.9	657.1	
681.1	678.6	
687.1	684.2	
701.9	701.6	
755.3	755.0	$\nu_1$
839		
868		
959		
992		
994.5		
1087		
1164		
1214		
1508.4	1508.6	$2 \nu_1$

Table 2. Approximate relative intensities of Raman transitions in the lowest vibronic levels of a  $\Gamma_8 \times (e_g, t_{2g})$  Jahn-Teller system.  $C^2(n_2, n_5)$  are squared coefficients in the eigenvector expansion, which uses  $v_2$  and  $v_5$  harmonic oscillator functions and  $\Gamma_8$  electronic functions as a basis. This approximation assumes that the only Raman scattering mechanism of importance is the usual  $n = 0 \rightarrow n = 1$  mechanism based on the B.O. and harmonic oscillator approximations. The parameter values are  $D_2 = 0.08$ ,  $D_5 = 0.266$ ,  $\nu_2^0 = 670 \text{ cm}^{-1}$ ,  $\nu_5^0 = 300 \text{ cm}^{-1}$ . (See text for further discussion.)

$\nu(\text{cm}^{-1})$	eigenvectors		$C^2(n_5=1, n_2=0)$	$C^2(n_5=0, n_2=1)$
	$j_5$	$j_2$		
0	1/2	1/2	--	--
236	3/2	1/2	.62	0
376	1/2	1/2	.30	.13
565	1/2	1/2	.10	.12
612	1/2	3/2	0	.65
666	3/2	1/2	.11	0
811	3/2	1/2	.00	0
855	1/2	1/2	.10	.14
950	1/2	1/2	.07	.30
960	1/2	3/2	0	.10



Table 3. Summary of  $\nu_2(e_g)$  and  $\nu_5(t_{2g})$  Vibronic Coupling Effects in  $\Gamma_3$  States-- $\text{ReF}_6$  and  $\text{IrF}_6$

MODE (MOLECULE)	MAXIMUM SPLITTING ( $\text{cm}^{-1}$ )	SHIFT ( $\nu_i^0 - \bar{\nu}$ )= $\delta$ ( $\text{cm}^{-1}$ )	CFS( $\Delta^1$ ) ( $\text{cm}^{-1}$ )	QUALITATIVE COMMENTS AND CONCLUSIONS <sup>a,b</sup>
$\nu_2$ ( $\text{IrF}_6$ )	--	--	--	Not observed--small LJT or GVC
$\nu_5$ ( $\text{IrF}_6$ )	40	65	42	$\Delta = \Delta'$ ; $\text{GVC} > \text{LJT}$ ; $\phi(\vec{r}) - \phi_{D_{4h}}$
$\nu_2$ ( $\text{ReF}_6$ )	60	85	<5	$\phi(\vec{r})$ quenched; $\text{GVC} > \text{LJT}$
$\nu_5$ ( $\text{ReF}_6$ )	170	15	<5	$\text{LJT} > \text{GVC}$ ; $\phi_{D_{4h}} \ll \phi_{D_{3d}}$

a. In these comparisons it has been assumed that the totally symmetric parts of each potential function are either small or zero. Therefore, only splitting terms, not gas-to-crystal shift terms, are rigorously compared.

b. Crystal field expectation values are more fully discussed in the text. It is assumed that  $\nu_2$ - $\nu_5$  behavior with respect to  $\phi(\vec{r})$  can be approximated separately.

Figure 1. Eigenvalues of  $\underline{\mathcal{H}}_2'$  as a function of the coupling parameter,  $D_2$ .

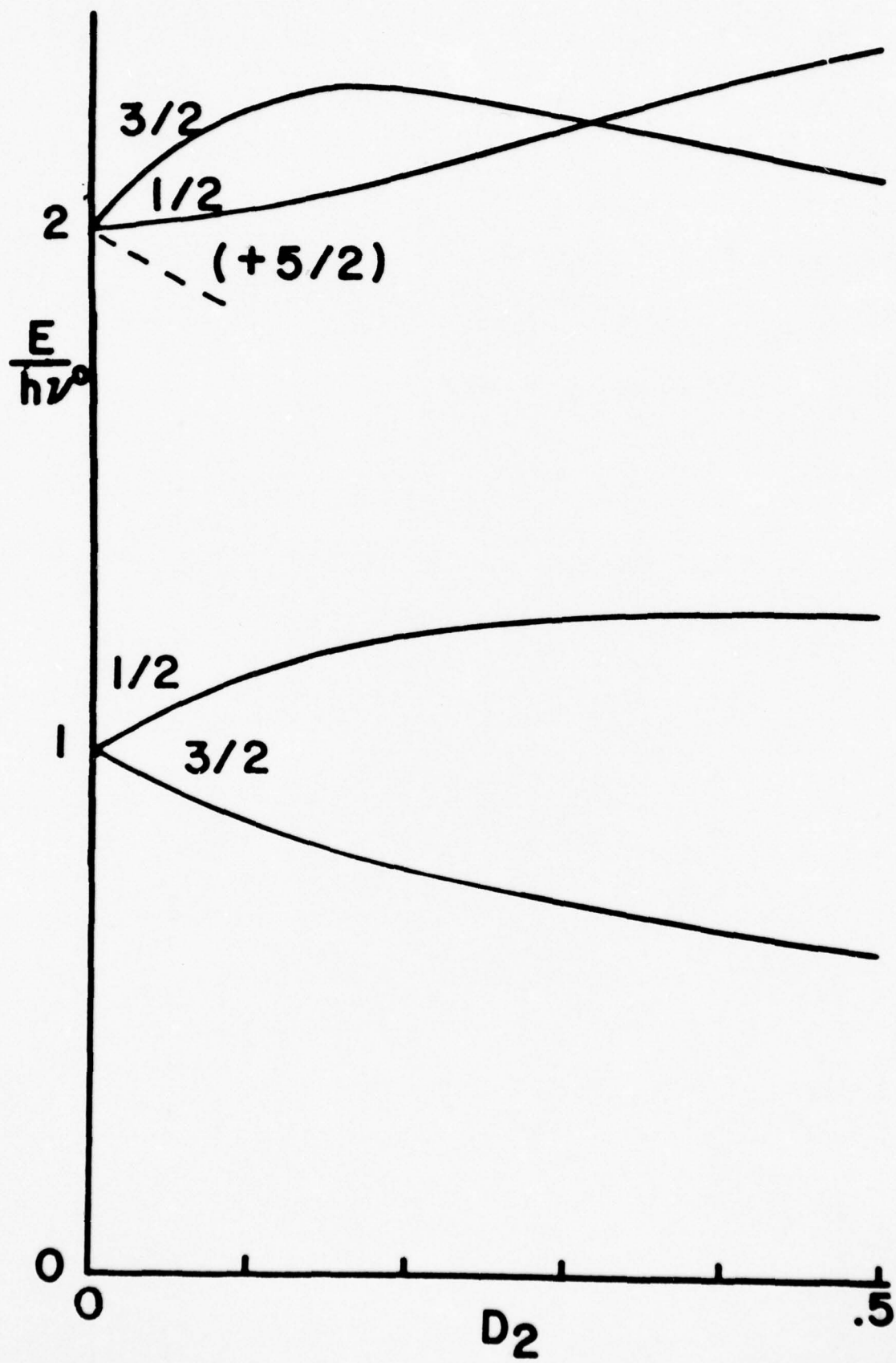


Figure 2.      Eigenvalues of  $\mathcal{H}_5'$  as a function of  $D_5$ .



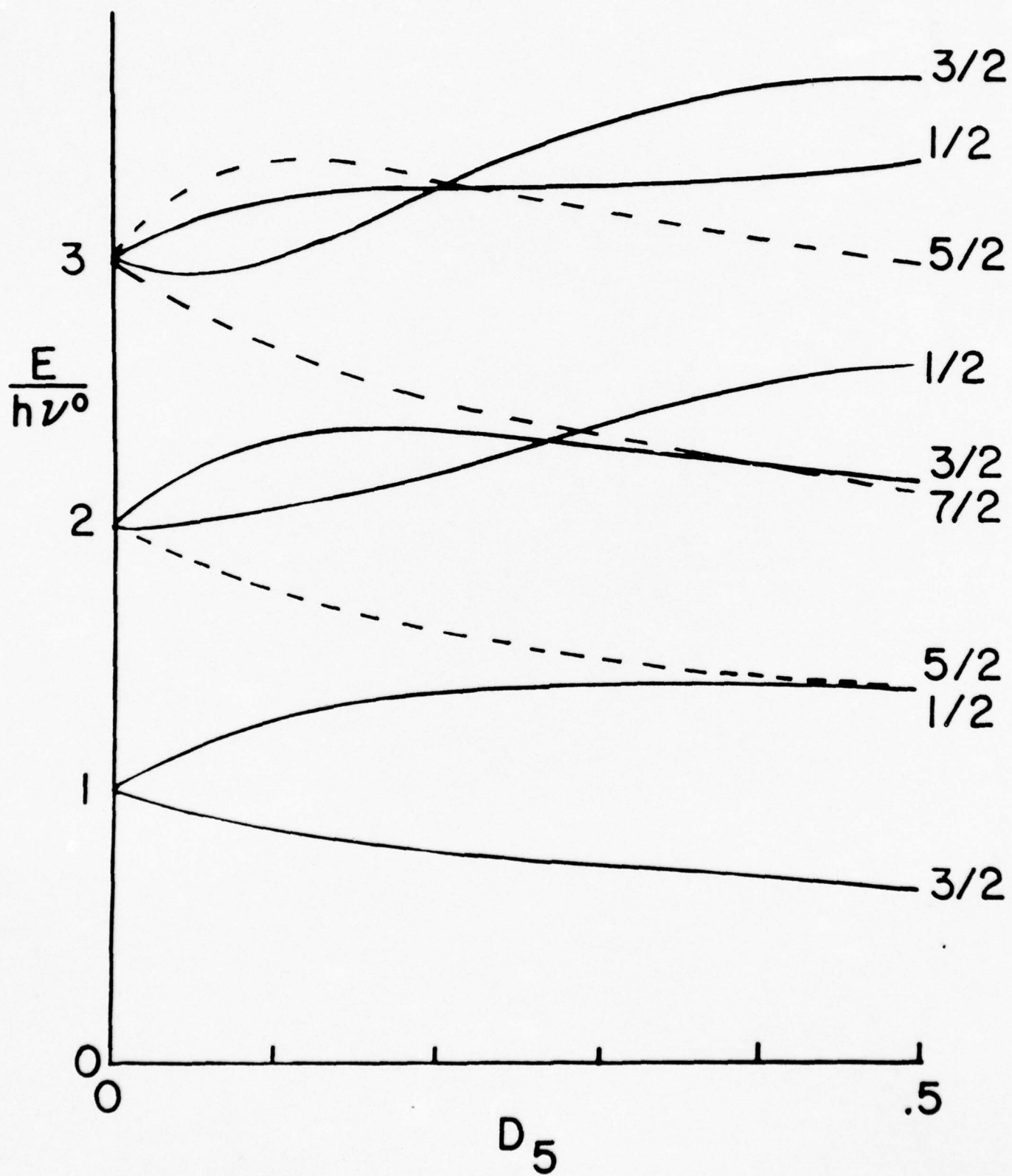


Figure 3. Eigenvalues of the  $\{\mathcal{H}'_2 + \mathcal{H}'_5\}$  problem as a function of  $D_5$  with  $D_2 = 0.08$ ,  $\nu_2^0 = 670 \text{ cm}^{-1}$  and  $\nu_5^0 = 300 \text{ cm}^{-1}$ . The unobserved  $j_5 = 5/2$  level is not shown here.  $\alpha$  is a number that labels members of the  $(j_5, j_{2z})$  sets with respect to energy ordering.  $J_2$  stands for  $\pm j_{2z}$ .

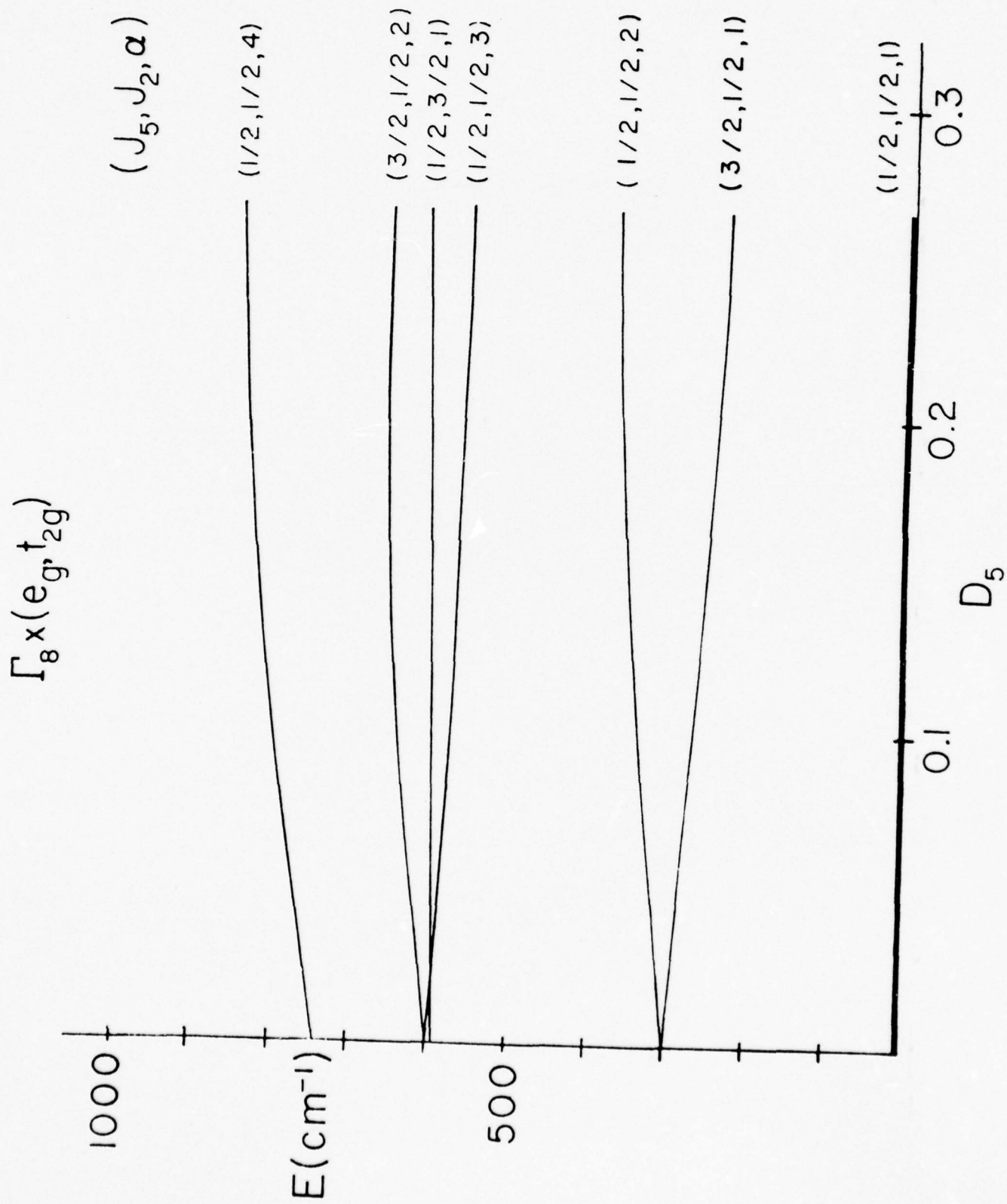


Figure 4. A schematic representation of various levels of approximation for vibronic coupling of a  $\Gamma_8$  electronic state with an  $e_g$  vibration is shown. The approximations used are: Born-Oppenheimer (BO), linear Jahn-Teller (LJT), and general vibronic coupling (GVC). BO states are labeled by the number of vibrational quanta; LJT states are labeled by their vibronic angular momentum; and GVC states are labeled by irreducible representations of the octahedral double group. Degeneracies are listed in parentheses.





$A=\Gamma_6$

$B=\Gamma_7$

$C=\Gamma_8$

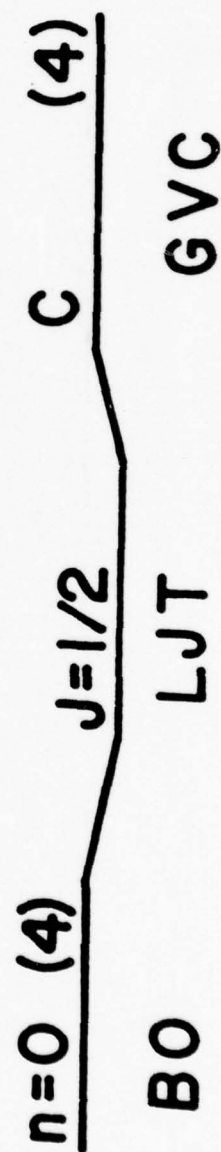
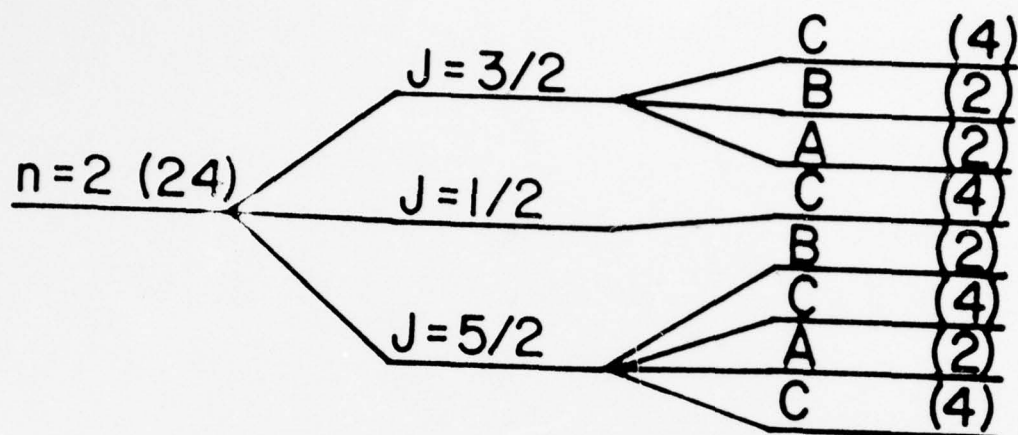


Figure 5. A schematic representation of various approximations for vibronic coupling of a  $\Gamma_8$  electronic state with a  $t_{2g}$  vibration. The approximations are described in the caption to Figure 4.



$A = \Gamma_6$   
 $B = \Gamma_7$   
 $C = \Gamma_8$

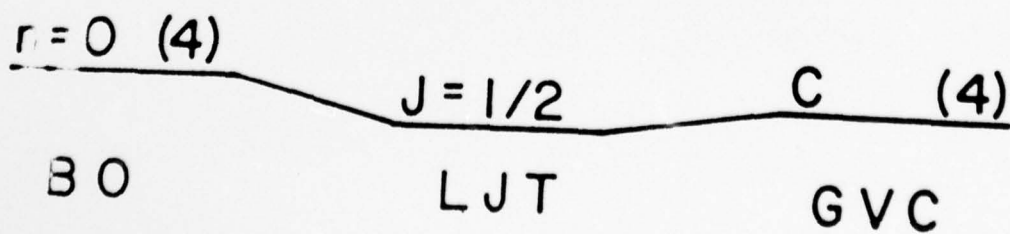
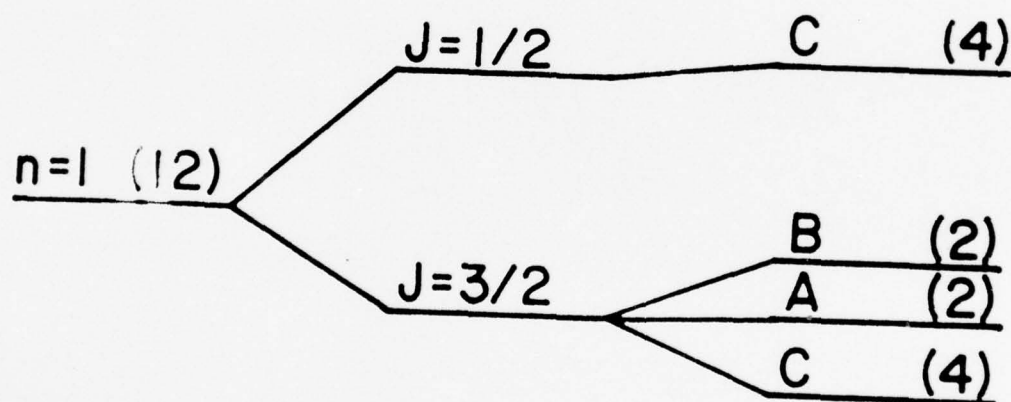


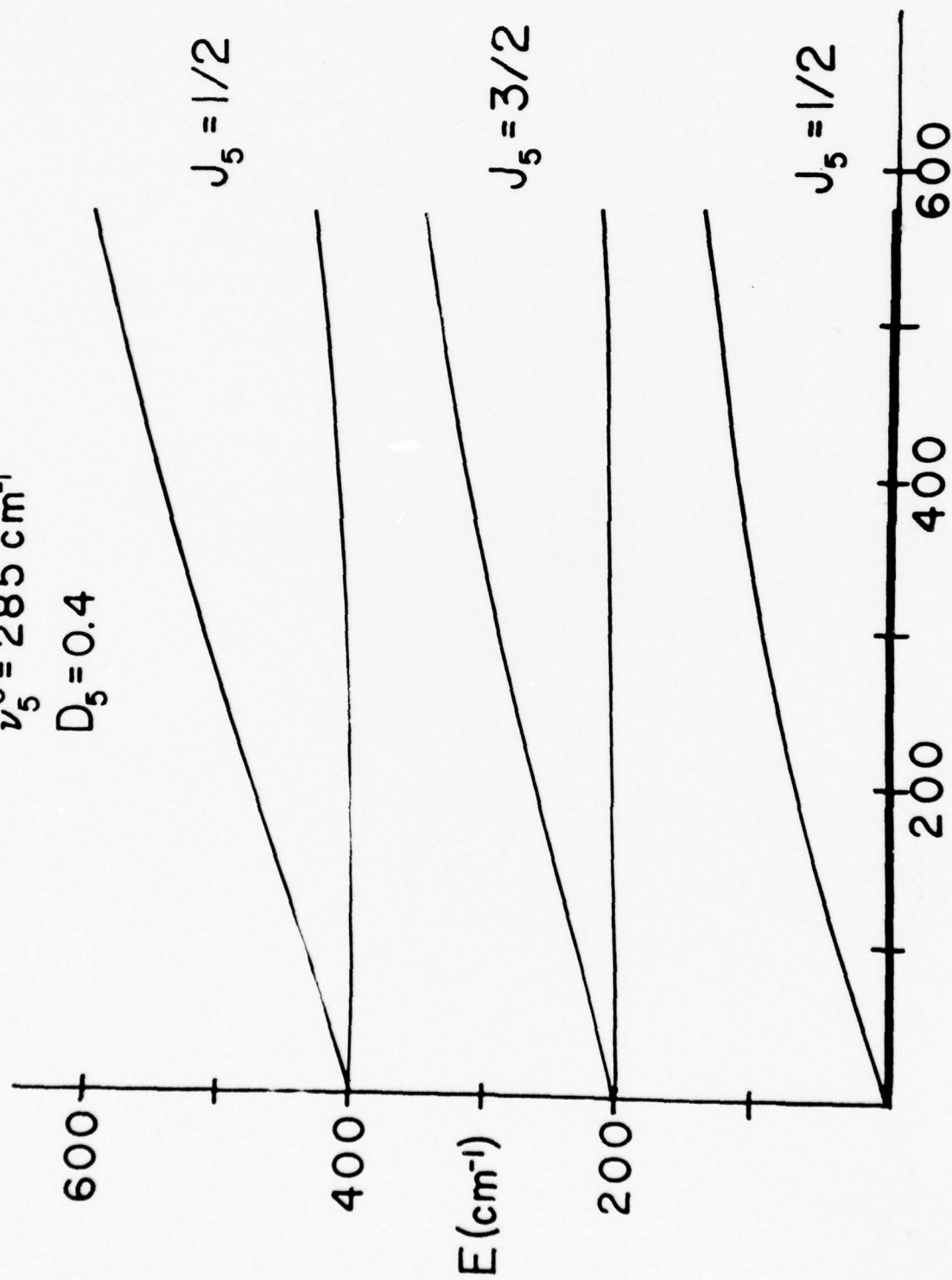
Figure 6. Eigenvalues of the  $\{\mathcal{H}_5' + \Phi_{(O_{4h})}\}$  Hamiltonian as a function of the crystal field parameter. See text and eqn. 13.



$$(\Gamma_8, \Phi(D_{4h})) \times t_{2g}$$

$$\nu_5^0 = 285 \text{ cm}^{-1}$$

$$D_5 = 0.4$$



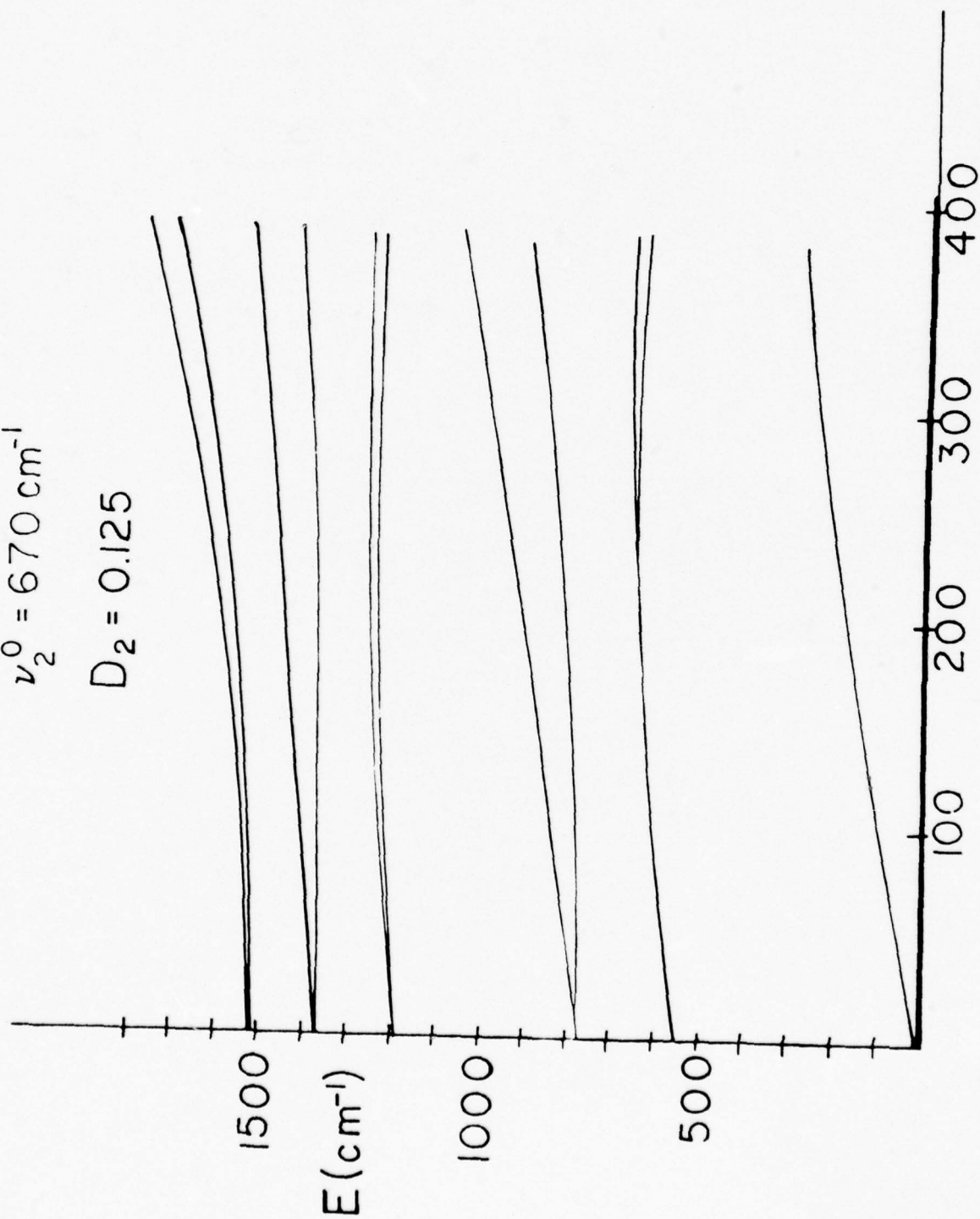
$$K(E_g, \theta) \text{ cm}^{-1}$$

Figure 7. Eigenvalues of the  $\{\underline{\mathcal{H}}_2' + \underline{\Phi}_{(O_{4h})}\}$  Hamiltonian as a function of the crystal field parameter. See text and Equation 14.

$$(\Gamma_8, \Phi(D_{4h})) \times E_g$$

$$\nu_2^0 = 670 \text{ cm}^{-1}$$

$$D_2 = 0.125$$



$$K(E_g, \theta) \text{ cm}^{-1}$$

Figure 8. A plot of the intensities of members of the  $\nu_5^1$  progression, which is built on the origin in the  $2\mu$  absorption spectrum of  $\text{ReF}_6$  is given for various  $\text{MF}_6$  mixed crystals at 2K. The intensities are normalized so that the  $n = 1$  component has unit value. The discrepancy of  $n = 0$  intensities is an indication of intermolecular intensity enhancement as discussed in the text. The small variation of  $n = 2$  levels is considered to be within the experimental uncertainty.



# $\text{ReF}_6$ $n\nu_5'$ VIBRONIC INTENSITY IN VARIOUS CRYSTALS

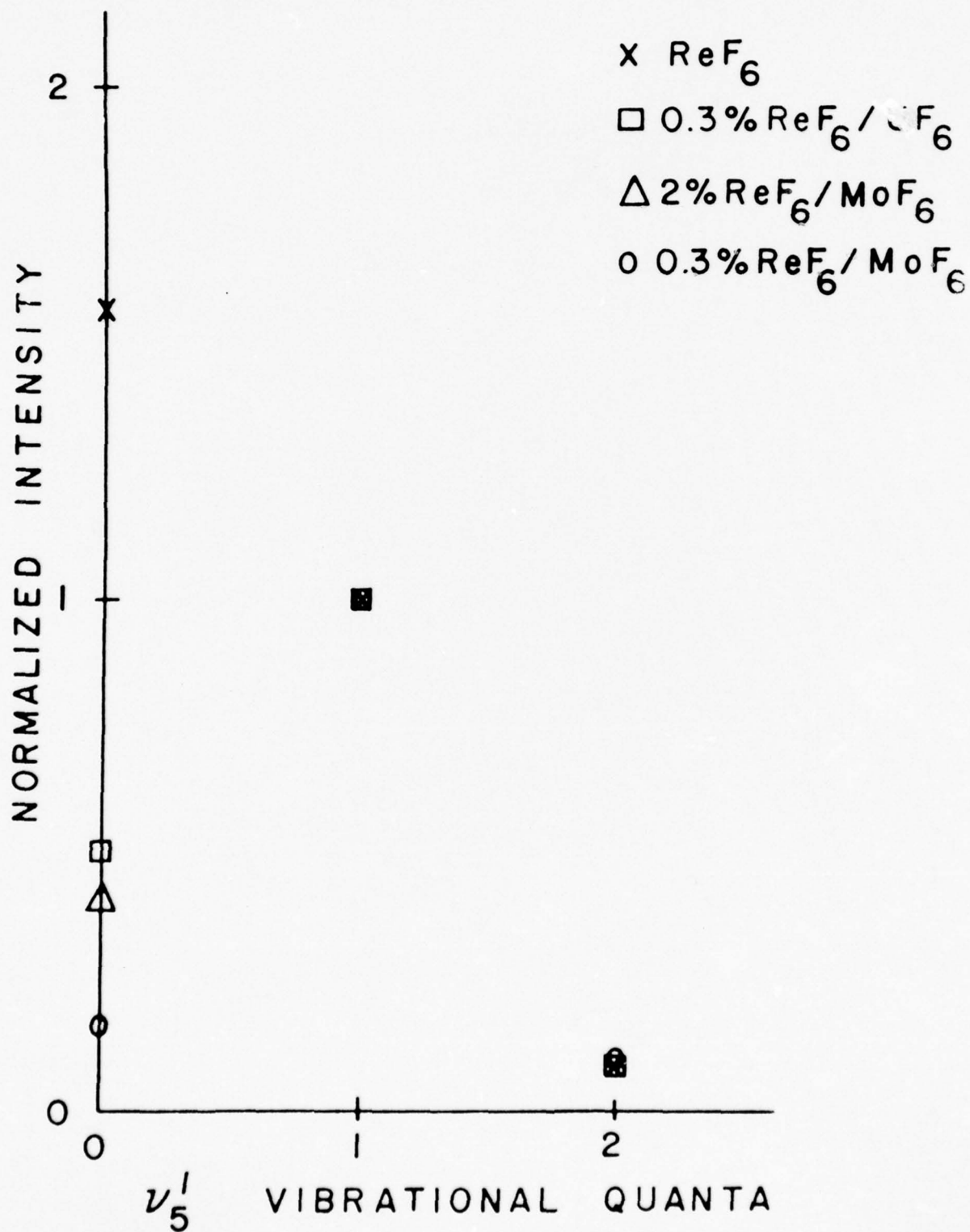


Figure 9. Intensities of members of the  $\nu_5^1$  progression, which is built on the origin in the 2K  $2\mu$  absorption spectra of  $\text{ReF}_6$  in various  $\text{MF}_6$  hosts, are compared to linear Jahn-Teller predictions. The experimental intensities are normalized to unity for the three observed components. The linear Jahn-Teller curves are reproduced from reference 5. The disagreement of experimental points (except neat crystal) with reasonable Jahn-Teller predictions is discussed in the text.

# $\text{ReF}_6$ $n\nu_5'$ VIBRONIC INTENSITY AND JAHN-TELLER PREDICTION

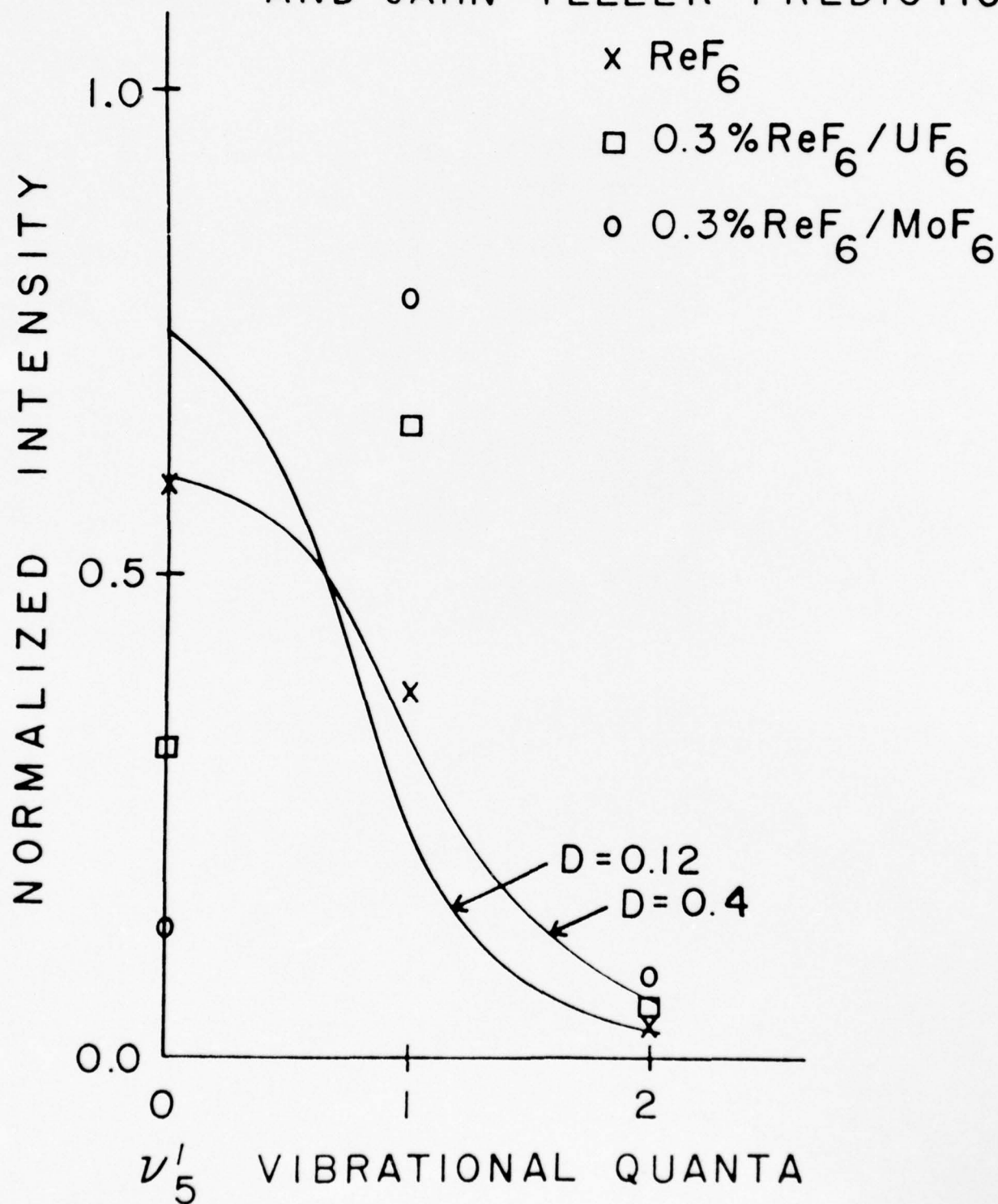


Figure 10. Predictions of intensities in members of a progression involving a threefold degenerate oscillator, which is both displaced and distorted in an electronic transition, are plotted. Curves occur in sets which encompass ratios of ground state to excited state vibrational frequencies of 0.75 to 1.25. The curves are: (A)  $\Delta n = 0$ , (B)  $\Delta n = +1$ , (C)  $\Delta n = +2$ , (D) the fraction of total progression intensity in first three components. Curves A, B, and C are normalized to unit in those three components to facilitate comparison to Figure 9 data points.



# FRANCK-CONDON INTENSITY PREDICTIONS FOR DISPLACED THREE DIMENSIONAL OSCILLATORS

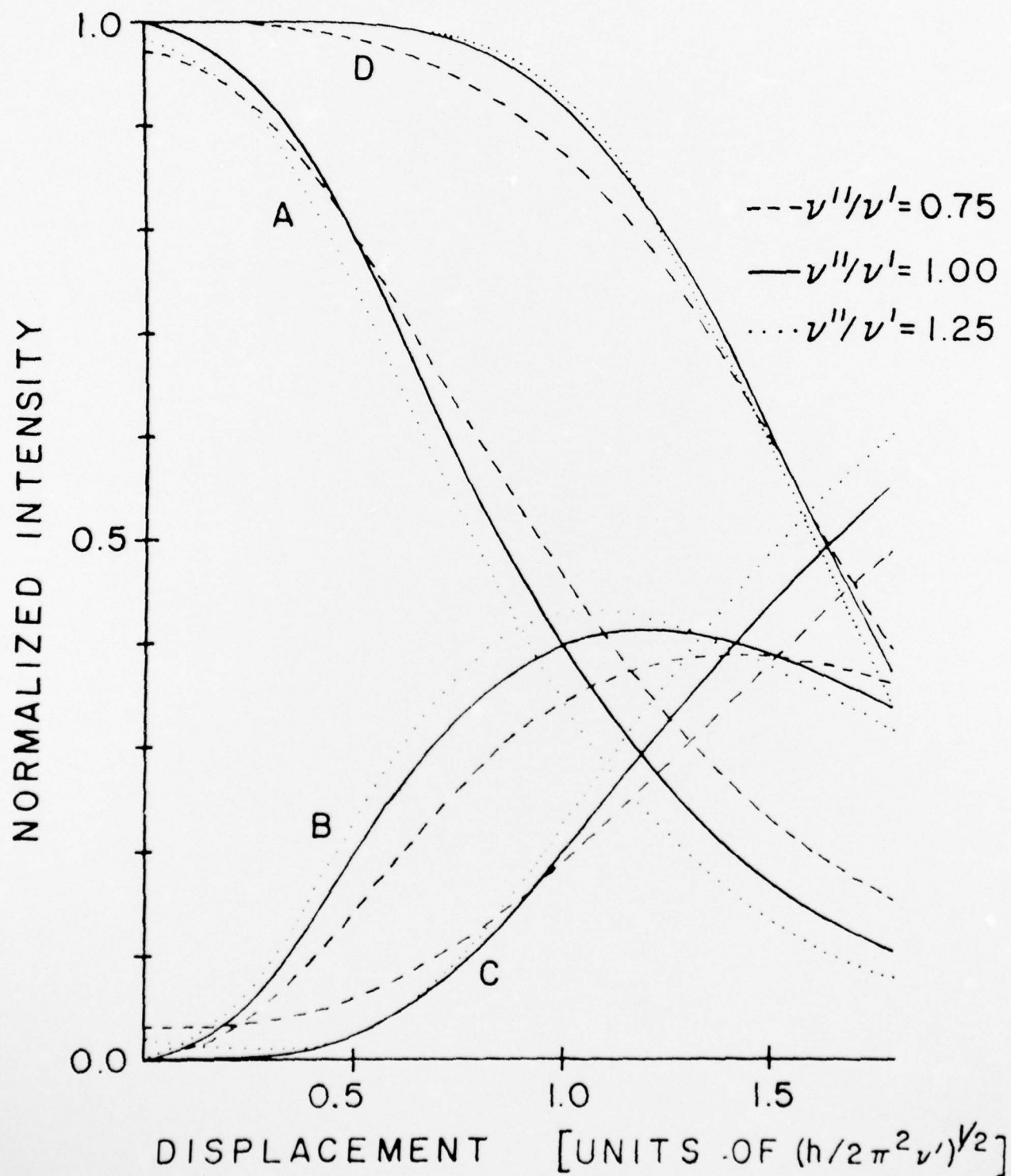


Figure 11. Low resolution Raman spectra of neat  $\text{ReF}_6$  crystals are given. Crystals were immersed in liquid nitrogen (A) and superfluid helium (B). The spectra are displayed on logarithmic scales; relative intensities are only qualitatively obvious.

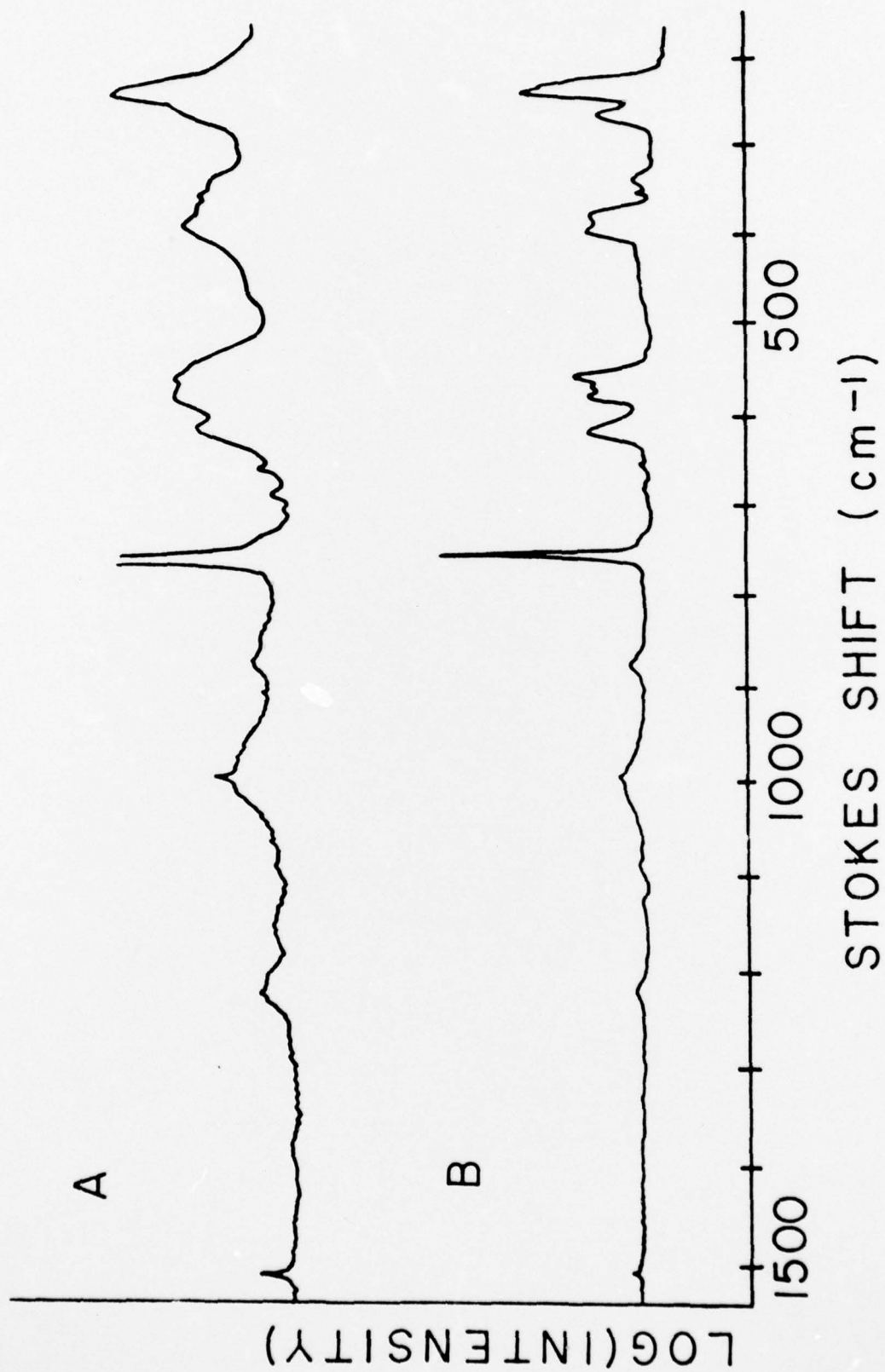


Figure 12. Schematic representation of the lower vibrational or vibronic energy levels and transitions of a molecule with a low-lying electronic level. This is the energy level system expected for  $\text{ReF}_6$  in neat and mixed crystals with  $\Delta \sim 25 \text{ cm}^{-1}$ . See text for discussion.



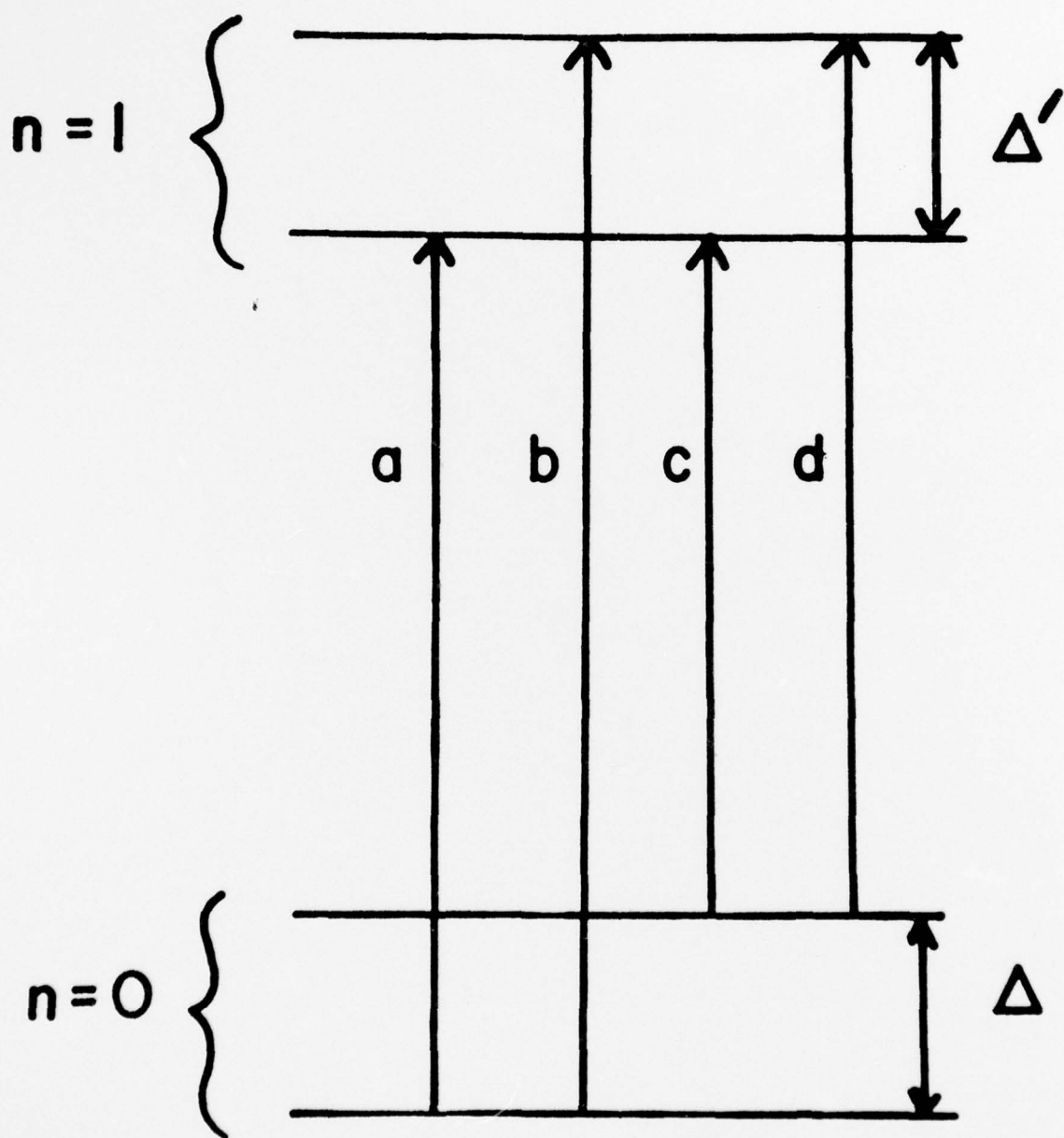


Figure 13. The Raman spectra of the  $\nu_2$  ( $n = 1$ ) vibronic region of  $\text{ReF}_6$  in neat and  $\text{TeF}_6$  host crystals is presented. The key to the spectra is the following:

- (A) Neat  $\text{ReF}_6$  crystal in liquid nitrogen
- (B) 5 mole percent  $\text{ReF}_6$  in  $\text{TeF}_6$  mixed crystal in liquid nitrogen
- (C) Neat  $\text{ReF}_6$  crystal in superfluid helium
- (D) 5 mole percent  $\text{ReF}_6$  in  $\text{TeF}_6$  mixed crystal in superfluid helium

The  $\sim 645 \text{ cm}^{-1}$  feature of the mixed crystal has been assigned to  $2 \nu_4$  of  $\text{TeF}_6$  and nearby weak structure to  $\nu_4 + \nu_5$  and  $2 \nu_5$  of  $\text{TeF}_6$ . The hot bands and temperature dependent shifts are discussed in the text.

# INTENSITY

STOKES SHIFT (cm-1)

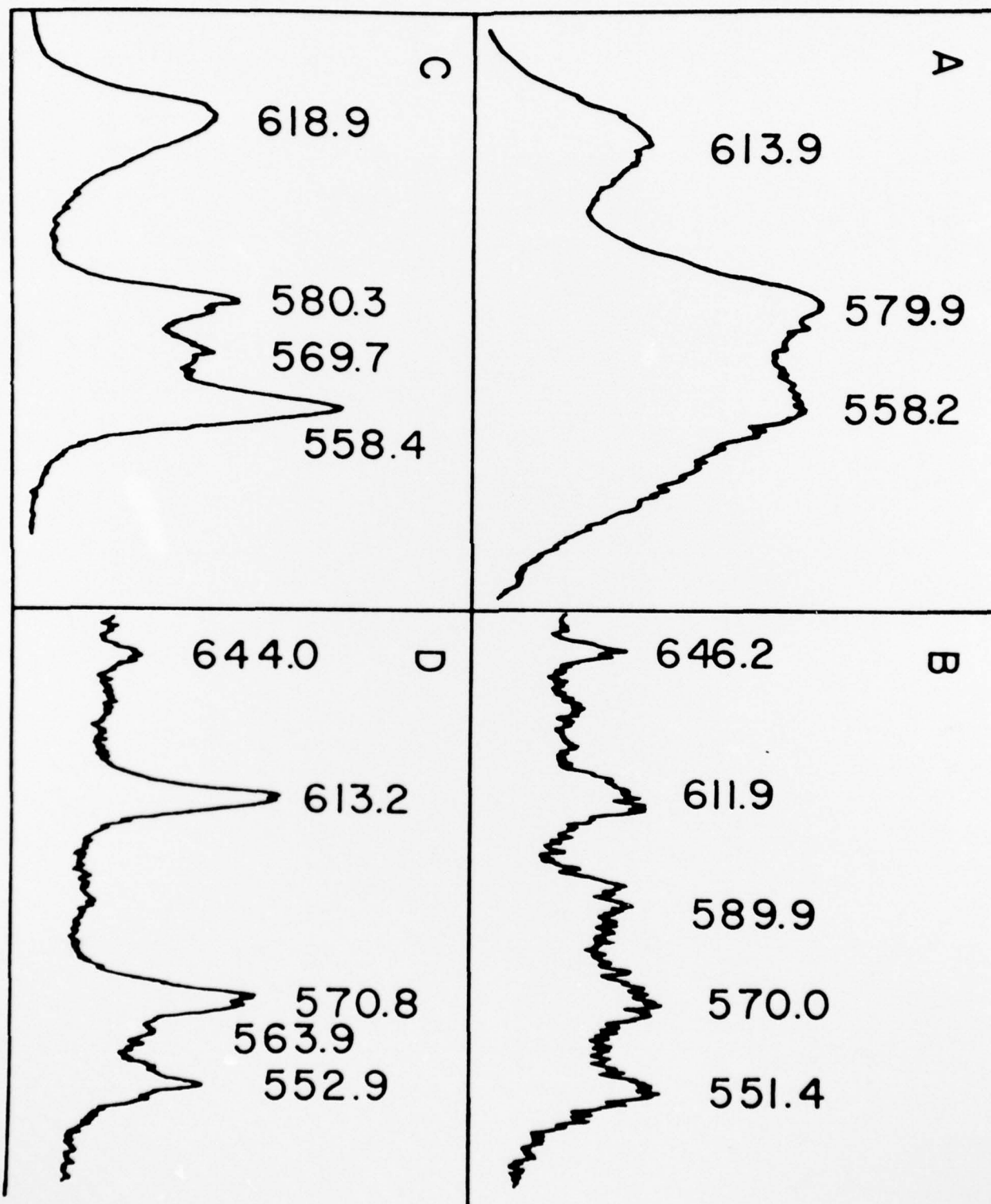


Figure 14. Raman spectra of the  $j_5 = 1/2$  region of  $\text{ReF}_6$  are presented in neat and  $\text{TeF}_6$  host crystals. The key is given in the caption to Figure 13. The weak features around  $336$  and  $351\text{ cm}^{-1}$  in the neat crystals and  $338\text{ cm}^{-1}$  in the mixed crystals are assigned to  $2\nu_6$  of  $\text{ReF}_6$ . The  $\sim 412\text{ cm}^{-1}$  features in the mixed crystal are assigned to  $2\nu_6$  of  $\text{TeF}_6$ . The hot band structure, temperature shifts and splittings and broadening are discussed in the text.



# INTENSITY

STOKES SHIFT (cm<sup>-1</sup>)

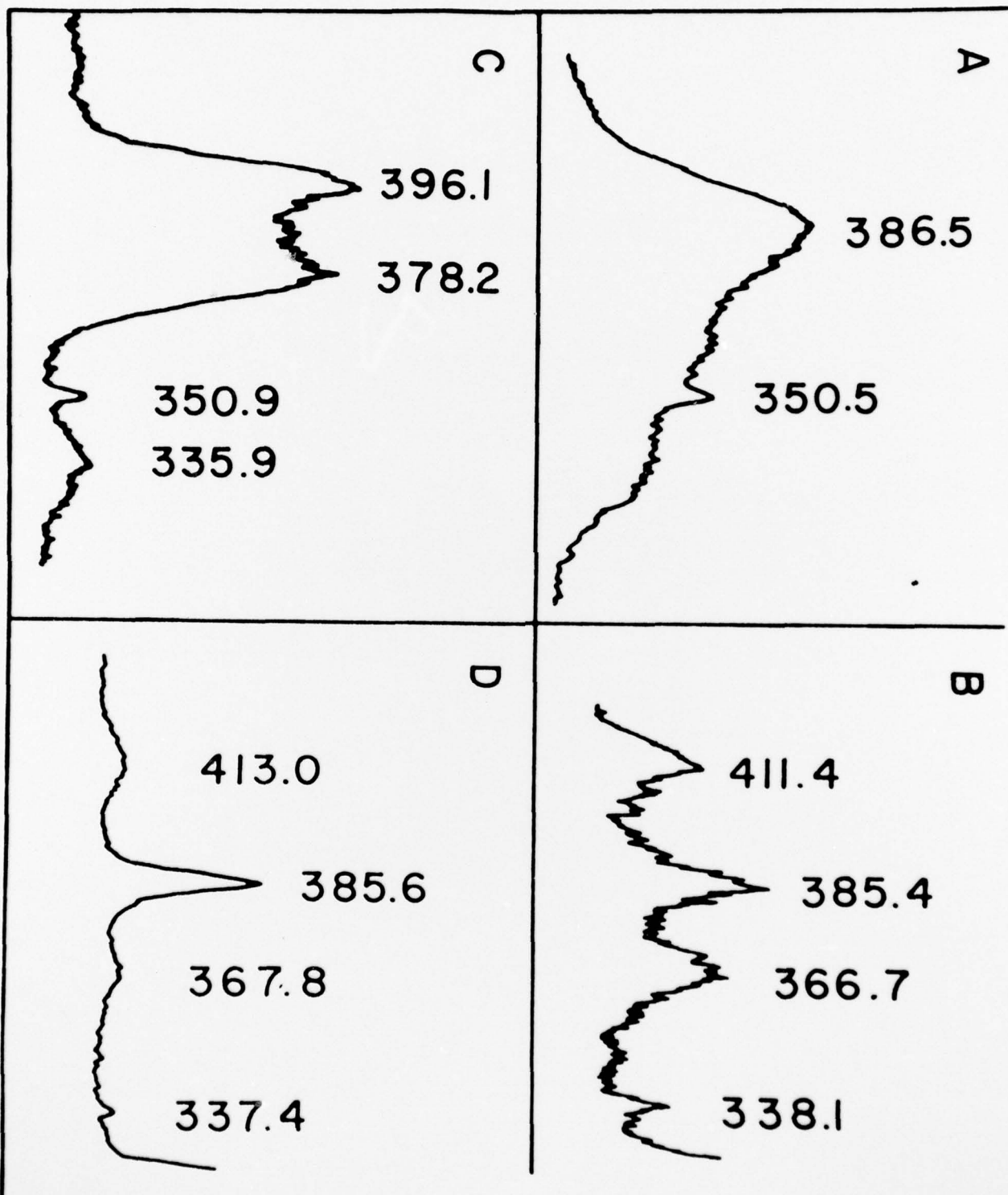
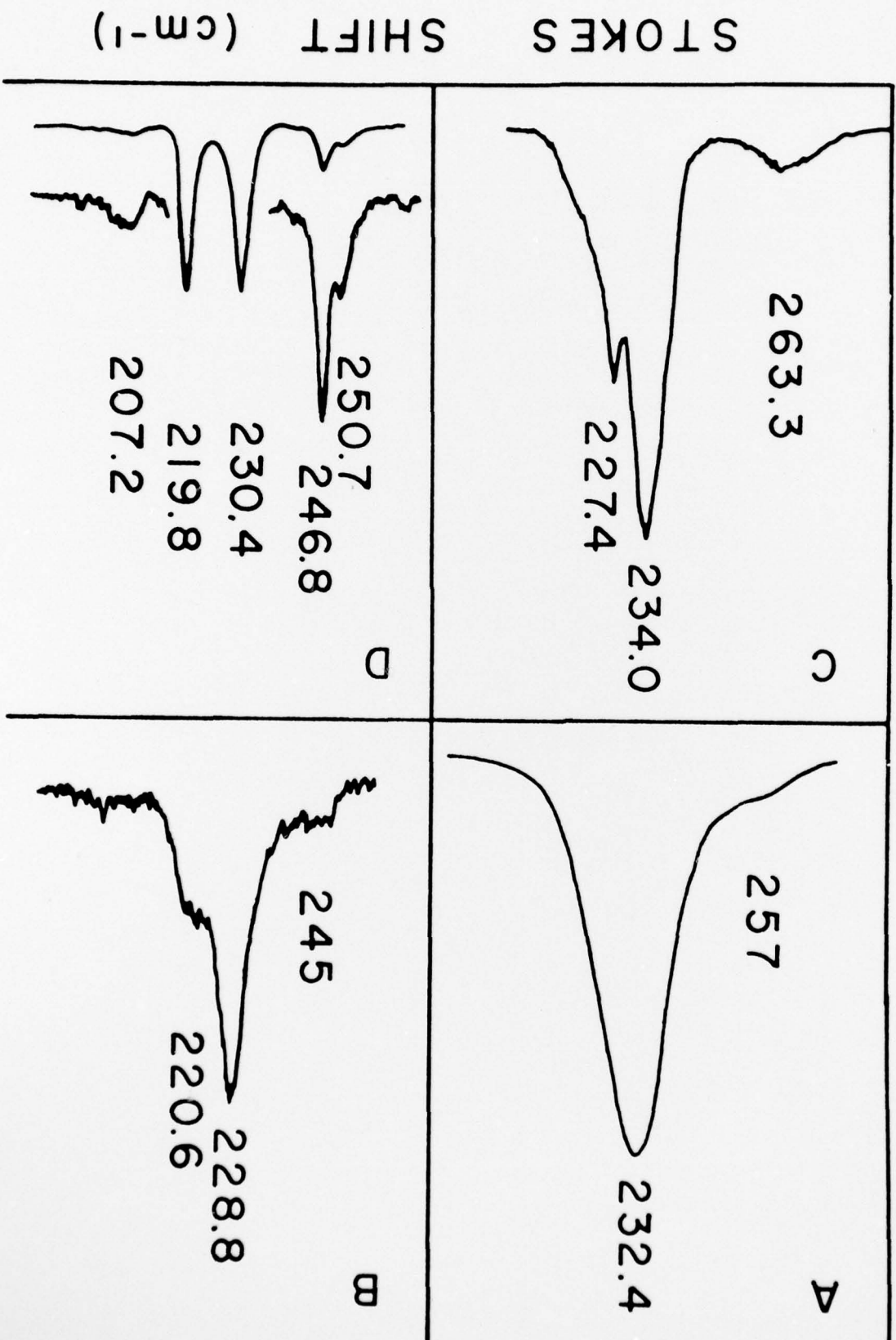


Figure 15. The Raman spectra of the lowest  $j_5 = 3/2$  region of  $\text{ReF}_6$  is shown in various  $\text{MF}_6$  crystals. The key is presented in the caption to Figure 13. The  $207 \text{ cm}^{-1}$  feature in the mixed crystal has been assigned to  $\nu_6$  of  $\text{TeF}_6$ . The  $251$  and  $247 \text{ cm}^{-1}$  features in D and  $245 \text{ cm}^{-1}$  feature in B have been assigned to  $\nu_4$  of  $\text{ReF}_6$  although there is some uncertainty in this assignment (see text). The  $263$  or  $257 \text{ cm}^{-1}$  features in the neat crystals are assigned similarly. The other details are discussed in the text.

# INTENSITY



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